

Search for b-Quark Associated MSSM Higgs Decaying to Tau Pairs with ATLAS



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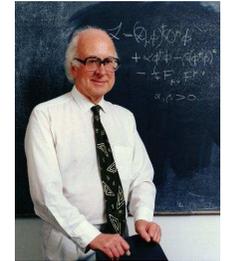
Outline

1. Introduction to the MSSM Higgs
2. Higgs Boson Reconstruction
3. Analysis with 30 fb^{-1}
4. Background Estimation from Data
5. Prospects for First Data



Introduction

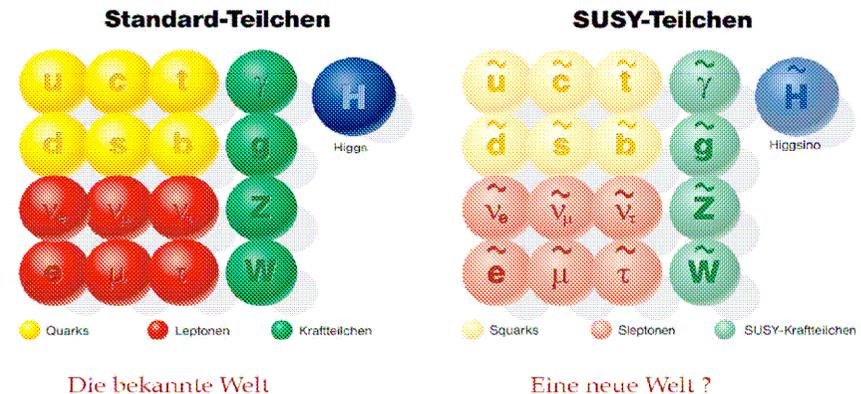
- SM very successful theory, description of three of the four fundamental forces
- **One component missing: Higgs boson as quantum excitation of the Higgs field**
- Higgs field: Property of space, scalar and isotrop
- **Fermions get mass by interacting with the Higgs field (SM predicts massless fermions)**
- Still hypethical, proof missing. Discovery would be great success
- **Direct search (LEP) led to exclusion limit of $m_H > 114 \text{ GeV}$. Theory predicts $m_H < 1 \text{ TeV}$**



P. Higgs

SM has some problems:

- Dark Matter
- Fine Tuning
- Unification of couplings



SUSY solves those problems! However, more paramteres are introduced (105).

No SUSY particles have ever been found

⇒ SUSY must be broken symmetry with $m_{\text{Sparticles}} \gg m_{\text{Particles}}$.

Minimal SUSY Model: MSSM.



Higgs Sector in the MSSM

- 2 Higgs doublets \Rightarrow 5 Higgs bosons: h^0 , H^0 (CP = +1), A^0 (CP = -1), H^\pm
- Tree level described by only two parameters: m_A , $\tan\beta = v_u/v_d$ $v_u^2 + v_d^2 = v^2$
- $m_h < m_Z$ but large loop corrections increase this limit!

SM: $\tan\beta=1$

Couplings: $g_{\text{MSSM}} = \xi g_{\text{SM}}$

$\alpha =$ mixing angle between h and H

Additional parameters:

- X_t Stop mixing parameter
- M_{SUSY} Energy scale of SUSY breaking
- M_2 Gaugino mass at EW scale
- $M_{\tilde{g}}$ Gluino mass at EW scale
- μ Strength of SUSY Higgs mixing

ξ	t	b / τ	W / Z
h	$\cos\alpha/\sin\beta$	$-\sin\alpha/\cos\beta$	$\sin(\alpha-\beta)$
H	$\sin\alpha/\sin\beta$	$\cos\alpha/\cos\beta$	$\cos(\alpha-\beta)$
A	$\cot\beta$	$\tan\beta$	-

$h/A/H \rightarrow \tau\tau$ enhanced if $\tan\beta$ large

$h/H \rightarrow ZZ^*$ suppressed

A does not couple to W/Z

All parameters except $\tan\beta$, m_A fixed in benchmark scenarios:

- m_h^{max} : $m_h < 133$ GeV, maximum allowed mass for $h \longrightarrow m_h^{\text{max}}$ considered here
- nomixing: $m_h < 116$ GeV, no mixing in stop sector
- gluphobic: $m_h < 119$ GeV, suppressed gg fusion
- small α : $m_h < 123$ GeV, suppressed $t\bar{t}h$, $h \rightarrow b\bar{b}$

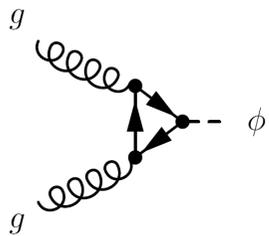
Carena, Heinemeyer, Wagner, Weiglein
Eur. Phys. J. C26 (2003) pp. 601-7



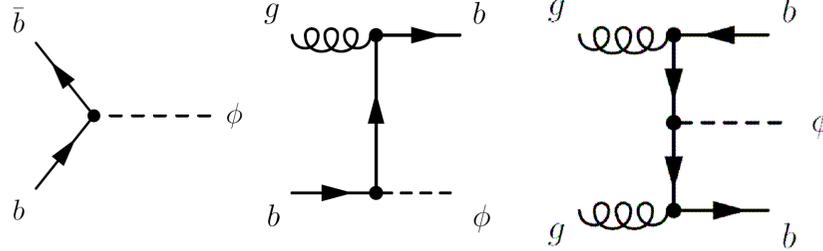
MSSM Higgs

Signal Production

gluon fusion



b-quark associated production



Dittmaier, Kramer, Spira
Phys. Rev. D70 (2004) 074010

Enhanced coupling to
down-type fermions

$$\Rightarrow \sigma_{bbH/A} \sim \tan^2\beta$$

Harlander, Kilgore
Phys. Rev. D 68 (2003) 013001

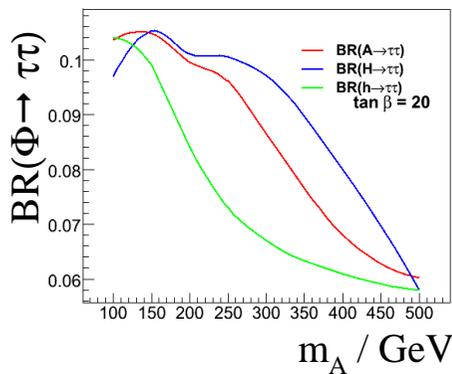
NLO
Cross sections (14 TeV):
tan β =20

m_A / GeV	σ_{bbH}	σ_{bbA}
150	95 pb	103 pb
200	39 pb	40 pb
300	9 pb	9 pb

Signal Properties

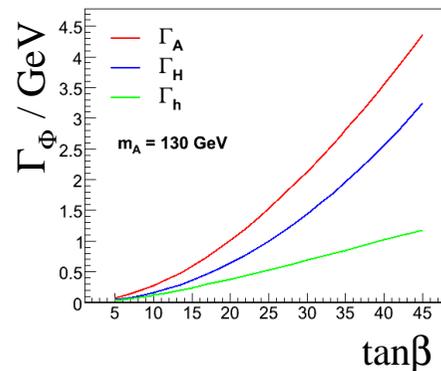
S. Heinemeyer, Feynhiggs

BR $h/A/H \rightarrow \tau\tau$



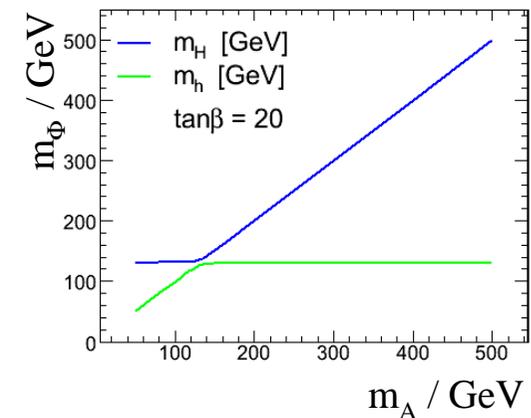
$\approx 10\%$ for low m_A

Natural width



Irrelevant for $h/A/H \rightarrow \tau\tau$
due to mass resolution

Mass degeneration



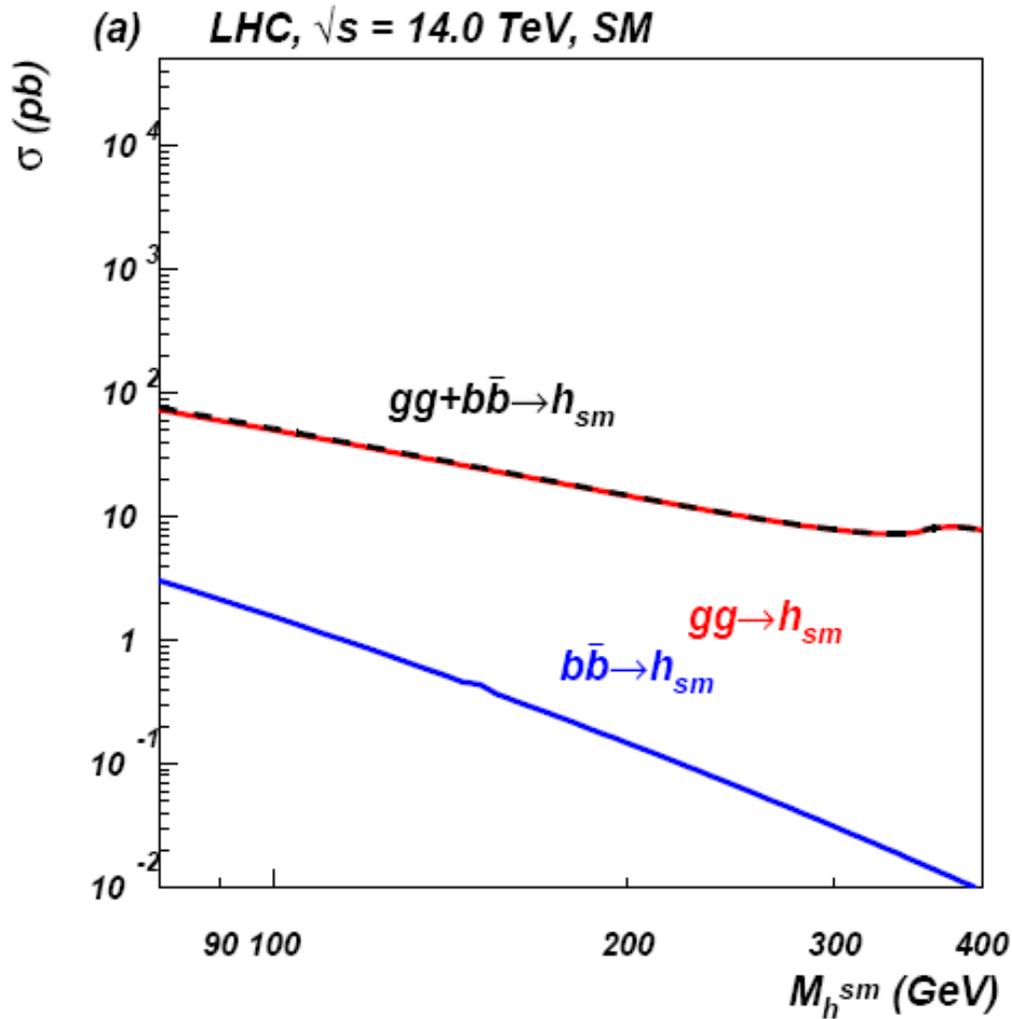
\Rightarrow Add up cross sections



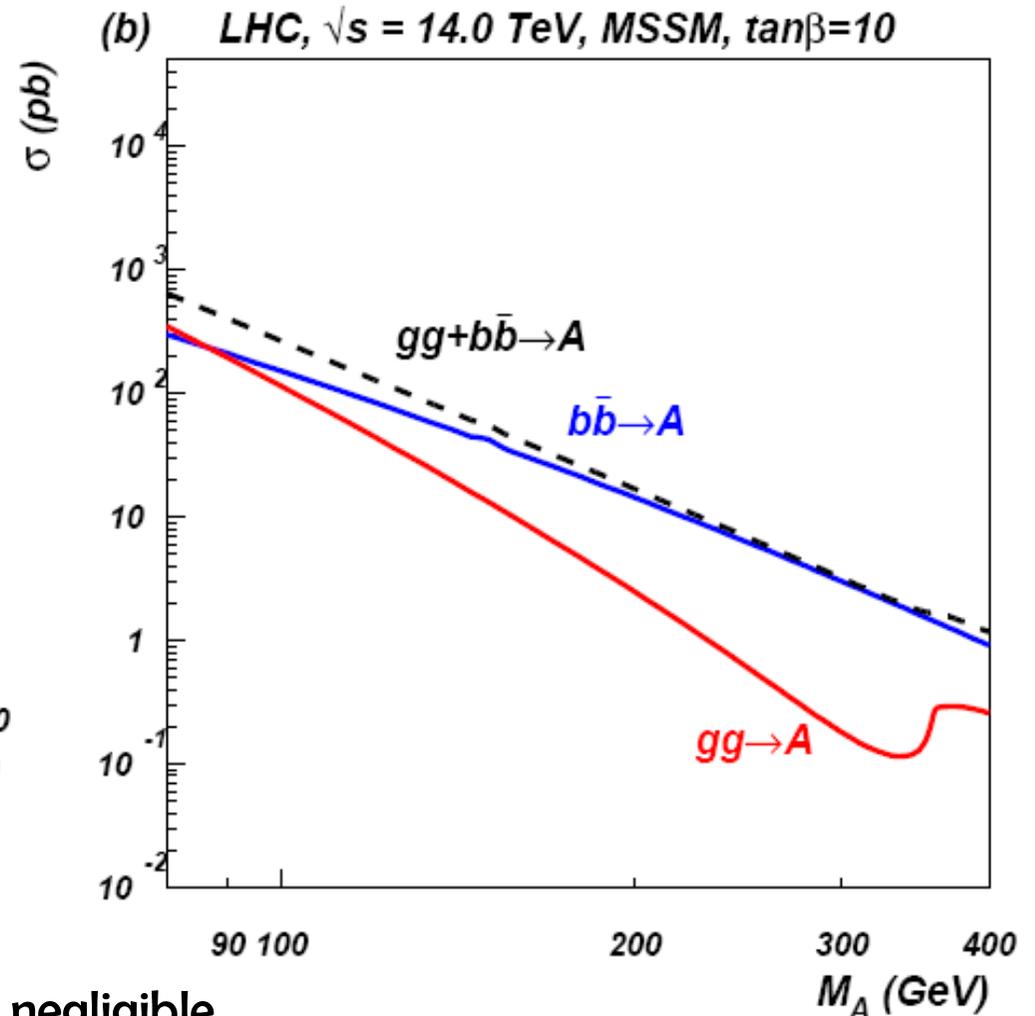
SM and MSSM Higgs Production

Talk by R. Harlander, Zürich '09

Belyaev et al. '05



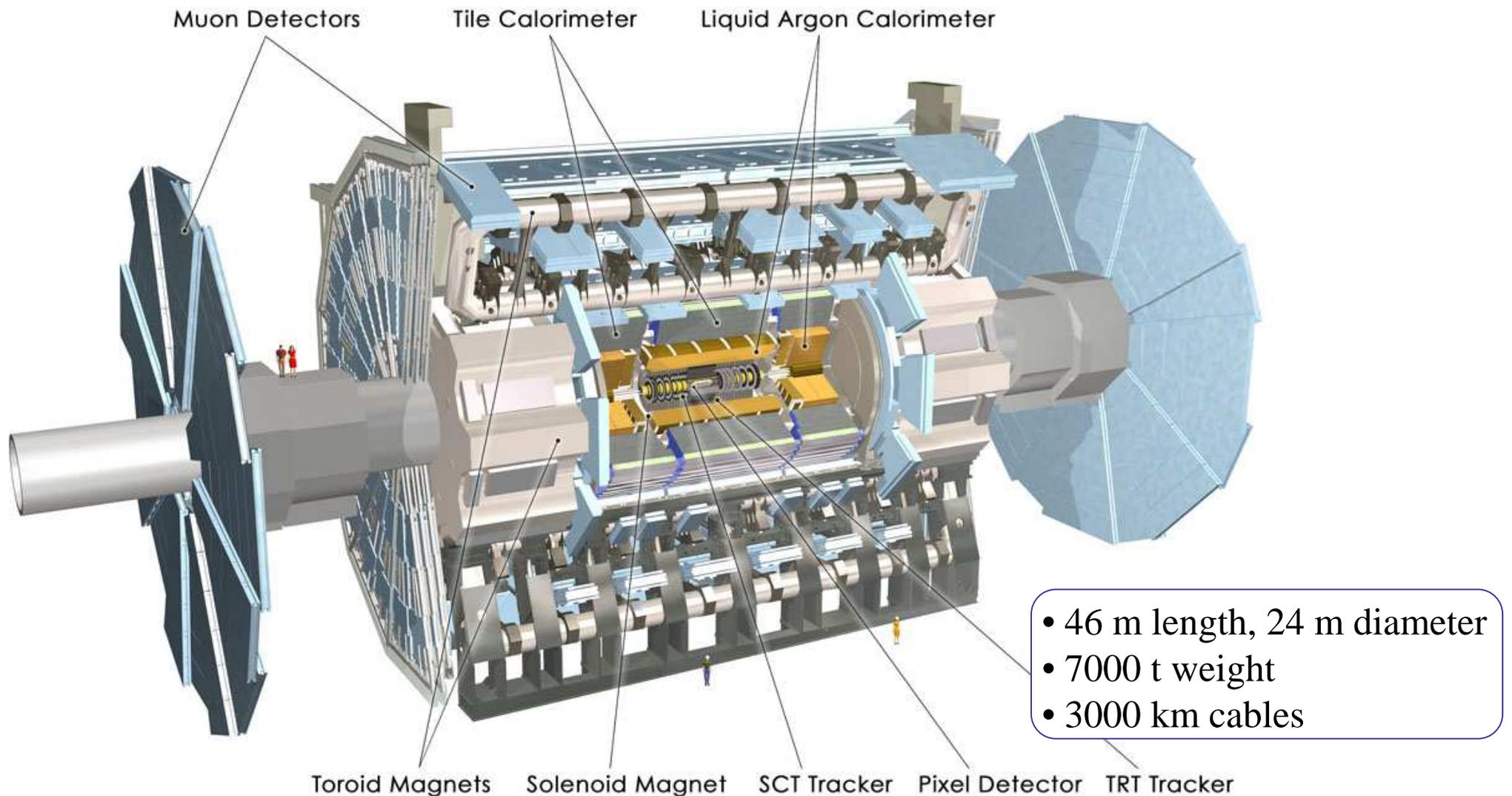
b-quark associated Higgs production
dominant production process in the MSSM



By applying a b-tag, gluon fusion signal negligible



The ATLAS Detector at LHC



Luminosity:
 $10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ (10 fb⁻¹ per year @ 14 TeV)

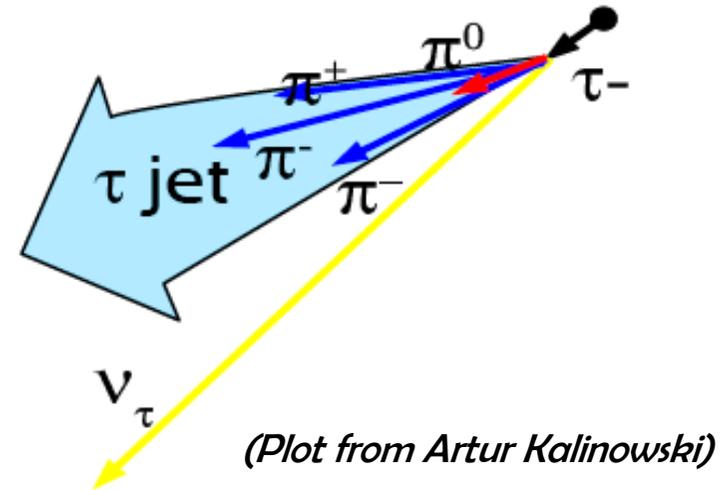
Trigger:
 $10^9 \text{ Hz} \Rightarrow 75 \text{ kHz} \Rightarrow 100 \text{ MB / s storage}$



Taus - Overview

Tau Decay Modes:

- 35% leptonic ($\tau \rightarrow e \nu \nu / \tau \rightarrow \mu \nu \nu$)
- 65% hadronic ($\tau \rightarrow \pi \nu / \tau \rightarrow \pi \pi \nu / \dots$)
- Probability that tau-pair decays fully leptonic only 12 % (**lelep**)
- In 45% of the cases one leptonic and one hadronic decay (**lephad**)
- In the remaining 42 % both taus decay hadronically (**hadhad**)



Hadronic tau in the Atlas detector:

- Collimated calorimeter cluster
- Low charged tracks multiplicity
- Displaced secondary vertex

⇒ Combined reconstruction in calorimeter and tracker

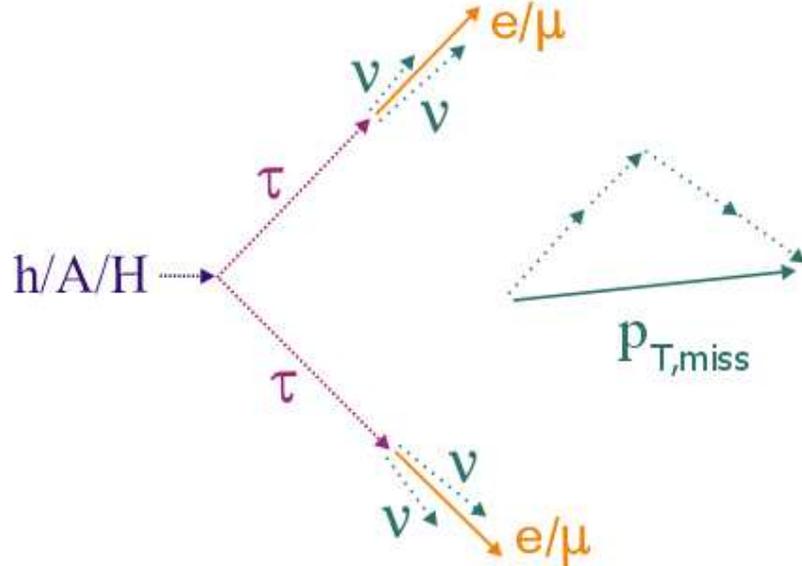
Sources for fake taus:

- QCD jets
- Electrons
- Muons



Higgs Mass Reconstruction

Collinear Approximation



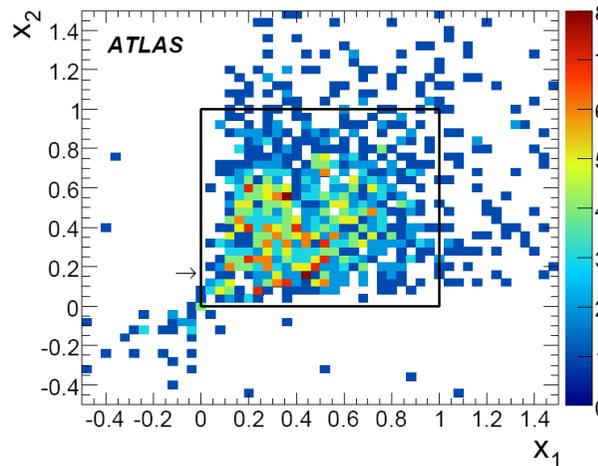
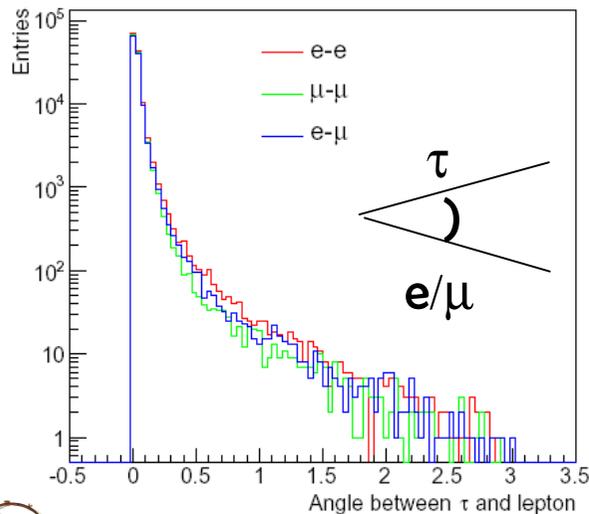
Conditions:

- Higgs mass large compared to t mass
- Higgs boson has non-zero p_T
- $p_{T,miss}$ in the detector due to neutrinos only

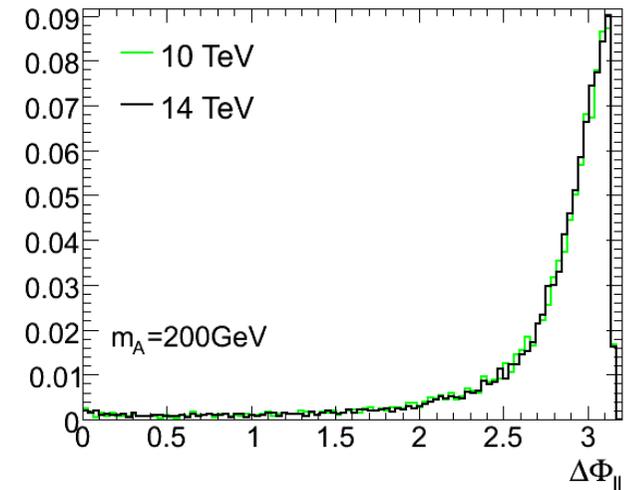
$$x = p_{T,l} / p_{T,\tau}$$

$$0 < x < 1$$

$$m_{\tau\tau} = \frac{m_{\ell\ell}}{\sqrt{x_1 \cdot x_2}}$$



Truncate events to those with physical solution.

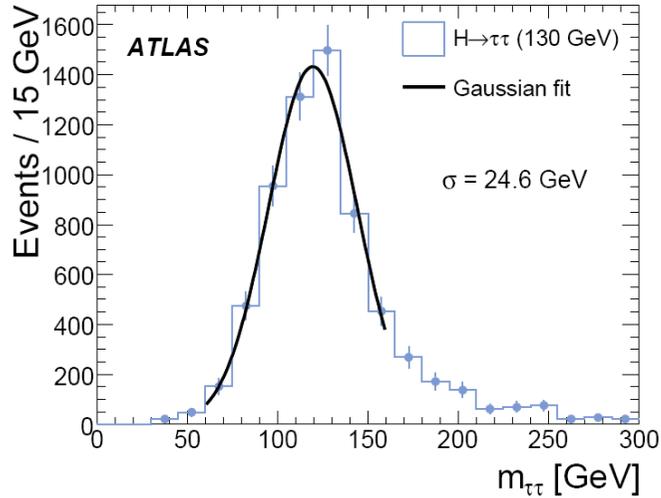


Approximation unstable at $\Delta\Phi \approx \pi$.



Higgs Mass Resolution

$m_{\tau\tau}$ shape in $A/H \rightarrow \tau\tau \rightarrow \text{lelep}$

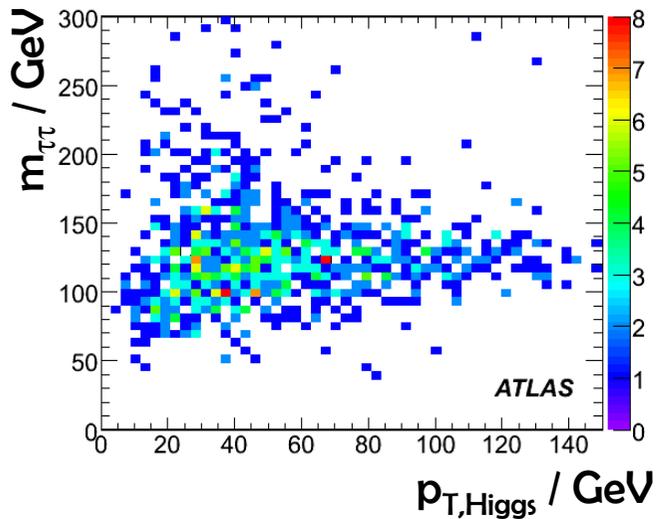


- Very „challenging“ resolution
- No chance to separate the Higgs bosons

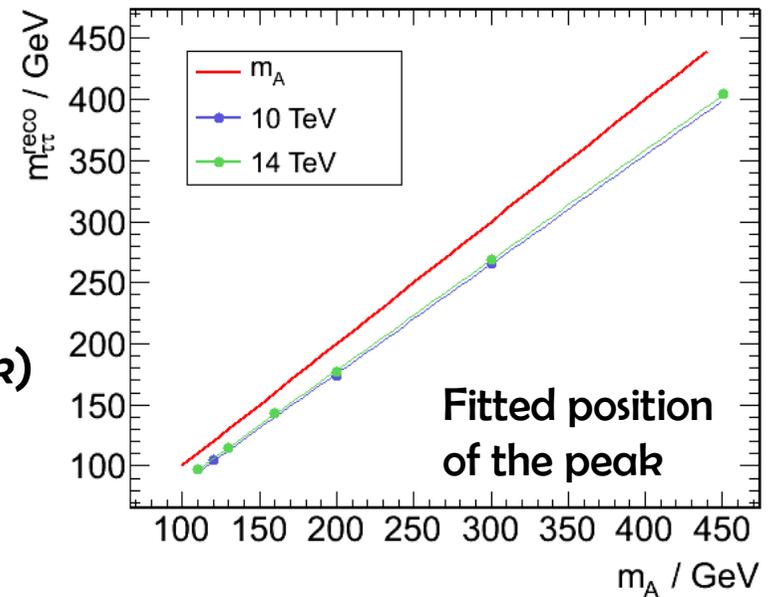
Mass resolution:

m_A / GeV	σ / GeV
110	21
200	33
300	52
800	~ 100

Another issue: Mass shift w.r.t. true mass



- ⇒ Mass resolution deteriorates for low $p_{T,Higgs}$ (leptons back-to-back)
- ⇒ High-energy tail in $m_{\tau\tau}$



Signal Topology and Background Processes

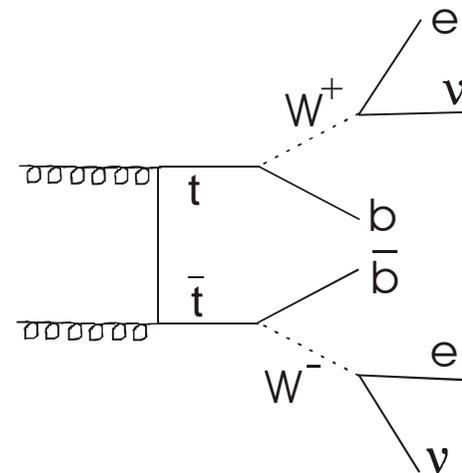
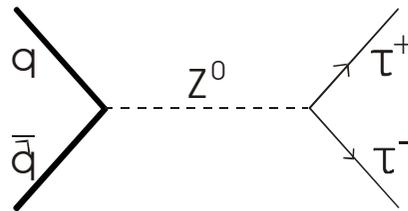
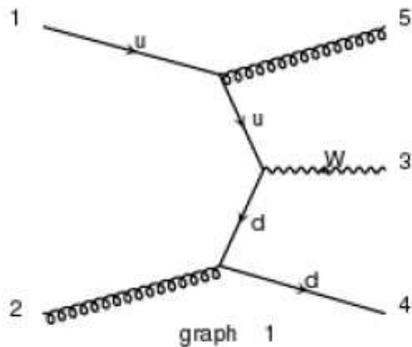
Signal Topology

- two high p_T leptons (lelep) or 1 high p_T lepton and 1 high p_T tau jet (lephad)
- (true) $p_{T,miss}$
- (true) b-jet(s)

Relevant Background Processes (xsecs for 14 TeV)

- QCD (up to 23 500 nb)
- W +jets (20 045 pb), $b\bar{b}W$ (111 pb)
- $Z(\rightarrow\tau\tau/ee/\mu\mu)$ +jets (2 036 pb), $b\bar{b}Z$ (52.3 pb)
- $t\bar{t}$ (833 pb)

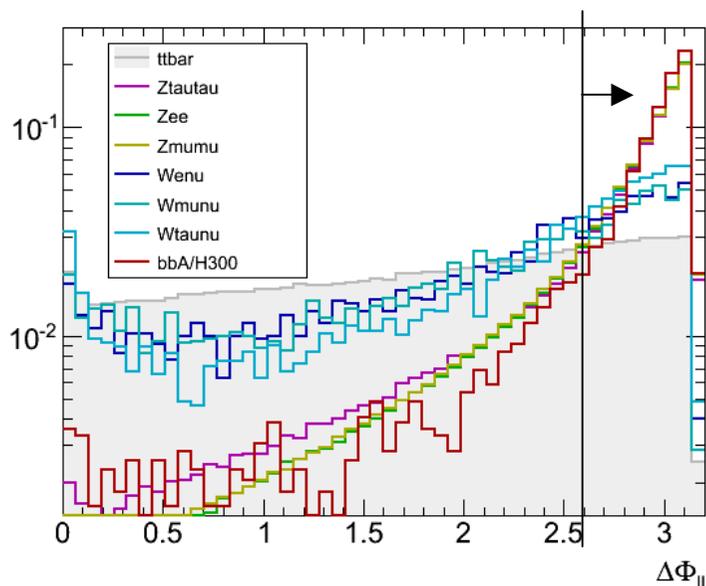
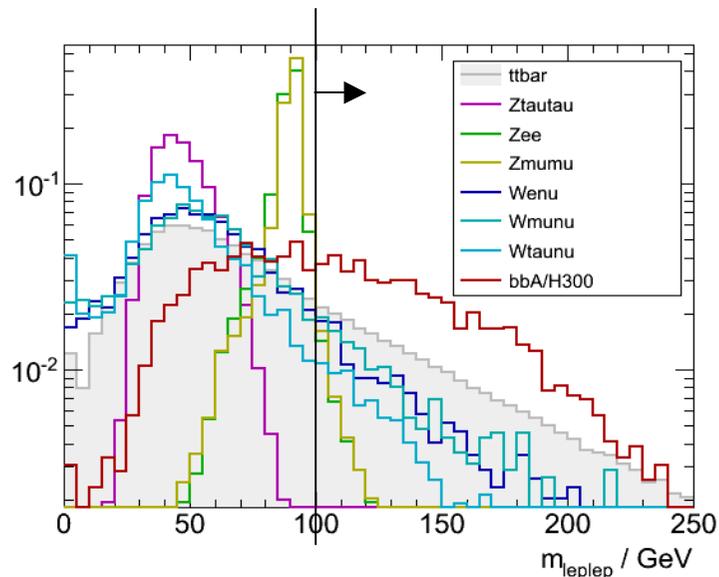
Reduce them strongly with b-tag



Event Selection- LepLep

We search for Higgs masses from 110 GeV up to 450 GeV.

⇒ Selection needs to be Higgs mass dependent to exploit the full potential of ATLAS



Trigger: Single or di-lepton triggers
(eg. $\mu 20$, $2e15$, ...)

Select events with a physical solution to the collinear approximation

Suppress most of backgrounds by b-tag
(Of course there is a mistagging rate!)

Discriminate against W and Z by requiring $p_{T\text{miss}}$ and high p_T objects

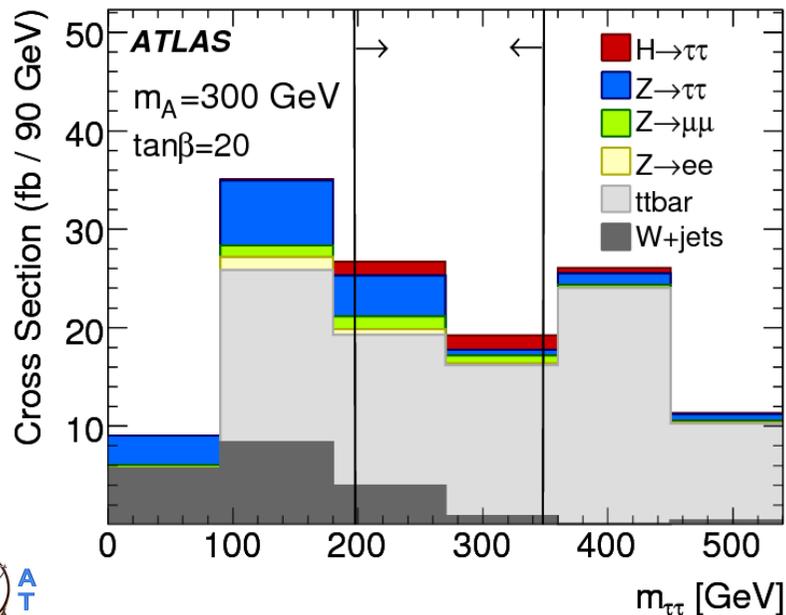
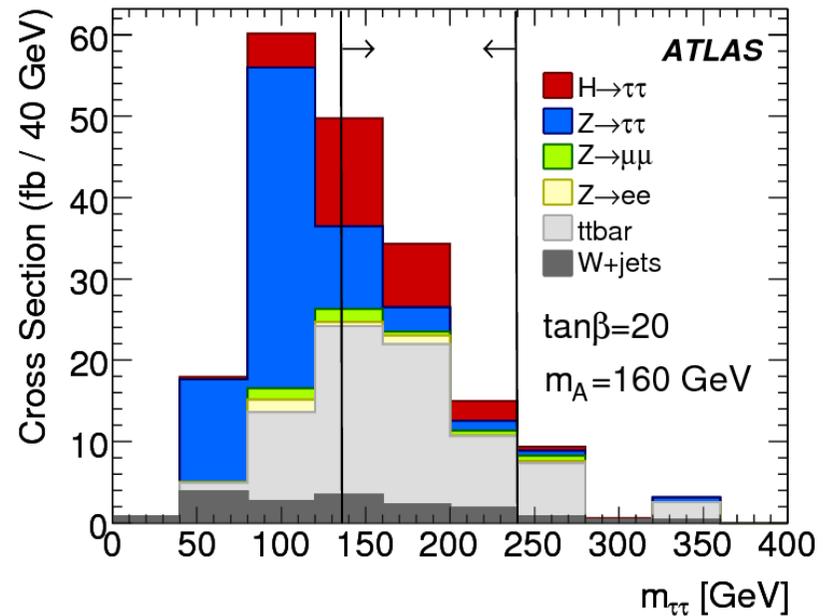
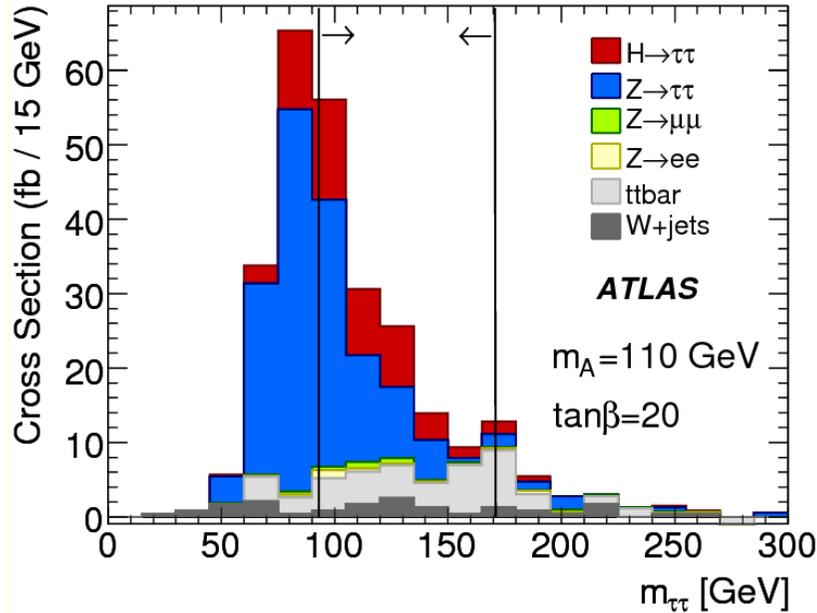
Select event with back-to-back topology. Cut on $m_{||}$.

Reduce $t\bar{t}$ by cutting on events with low jet multiplicity.

S/\sqrt{B} analysis to cut at best value.



Results @ 14 TeV - LepLep



At low m_A : Z \rightarrow $\tau\tau$ \rightarrow lelep dominates

Higher m_A : ttbar dominates

W+Jets and QCD under control

MC statistic smaller than
 expected real data statistic with 30fb^{-1} .



Systematic Uncertainties - LepLep

Electron efficiency	$\pm 0.2 \%$
Electron E scale	$\pm 0.2 \%$
Electron resolution	$\sigma(E_T) = 0.0073 E_T$
Muon efficiency	$\pm 1 \%$
Muon p_T scale	$\pm 1 \%$
Muon resolution	$\sigma(1/p_T) = 0.001/p_T \oplus 0.00017$
Jet energy scale	$\pm 3 \%$ (10 %, $ \eta > 3.2$)
Jet energy resolution	$\sigma(E) = 0.45 \sqrt{E}$ (0.63 \sqrt{E} , $ \eta > 3.2$)
b-tagging efficiency	$\pm 5 \%$
b-tagging fake rate	$\pm 10 \%$
Tau Efficiency	$\pm 5 \%$
Tau p_T scale	$\pm 5 \%$
Tau Resolution	$\sigma(\sqrt{p_T}) = 0.45 \sqrt{p_T}$

Assumed uncertainties for 10 fb⁻¹
(1 year running with 10³³ cm⁻²s⁻¹, 14 TeV)

Impact on Analysis in LepLep:

ttbar	5%-7%	} Experimental only
W+Jets	5%	
bbh/A/H	5%-9%	
Z+jets	3%	

(14 TeV, 30 fb⁻¹)

} Only LepHad

Large uncertainties on signal cross section (5 % - 15 %)

Large uncertainties on Z, ttbar and W cross sections ($\approx 10 \%$)

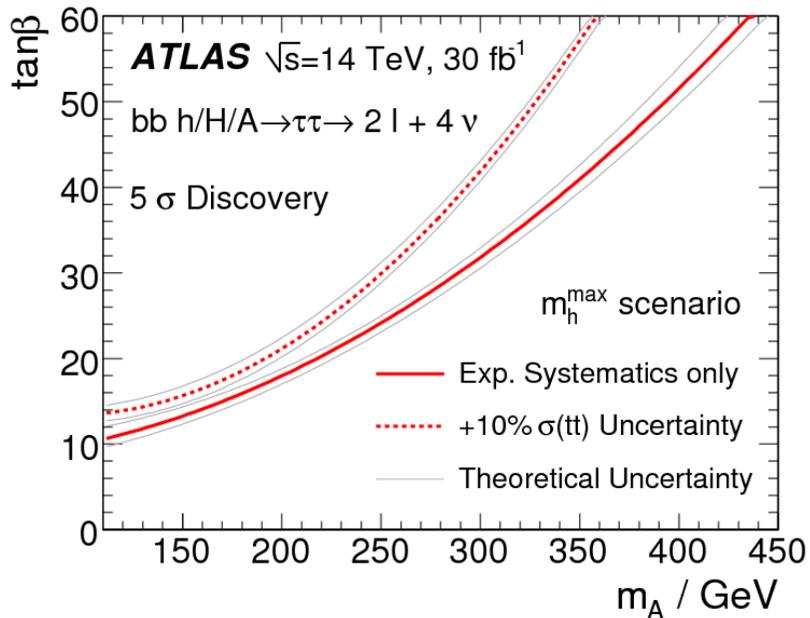
⇒ This demands for data-driven background estimation procedures



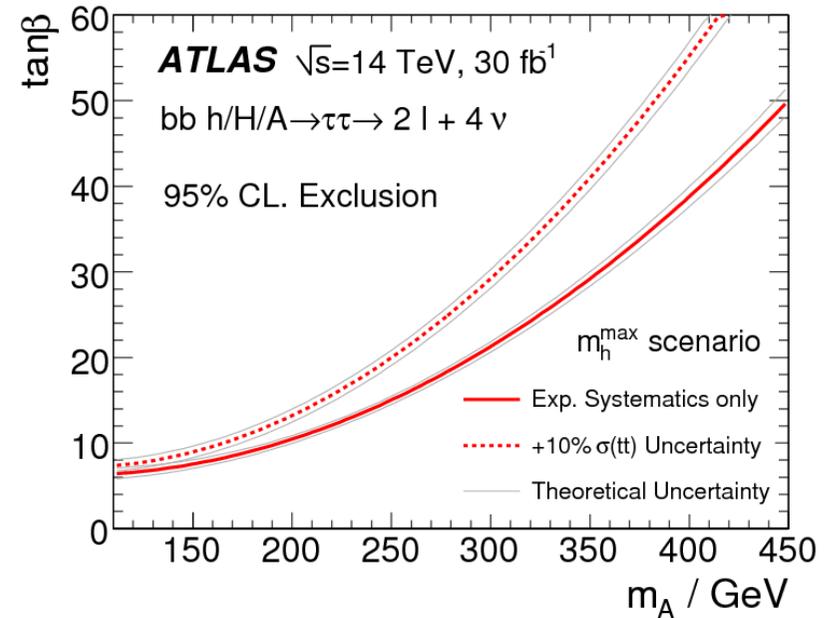
Discovery Limits - LepLep Channel

Up-to-date LepLep results on fully simulated MC with NLO cross sections. m_h^{\max} scenario.

5 σ Discovery



95% CL. Exclusion



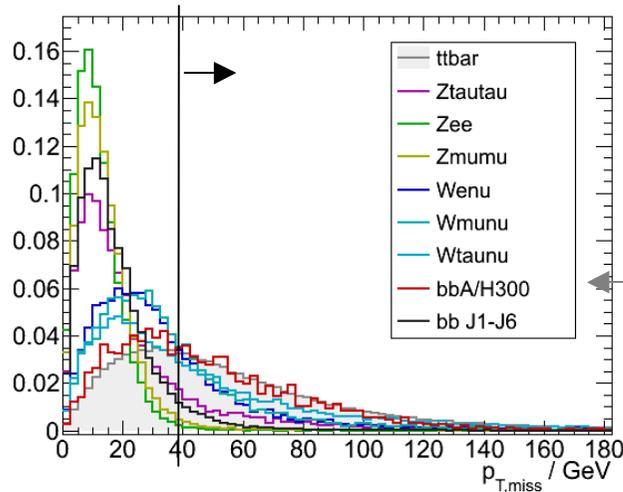
ATLAS Collaboration, Expected Performance of the ATLAS Experiment, Detector, Trigger and Physics, CERN-OPEN-2008-020, Geneva, 2008

- Large parts of m_A - $\tan\beta$ plane covered with lelep channel alone!
- Expect improved results when combined with lep-had (had-had) channel

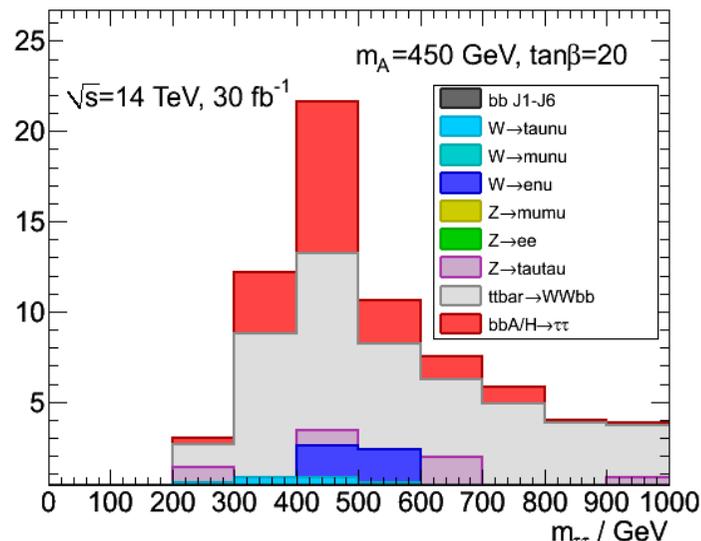
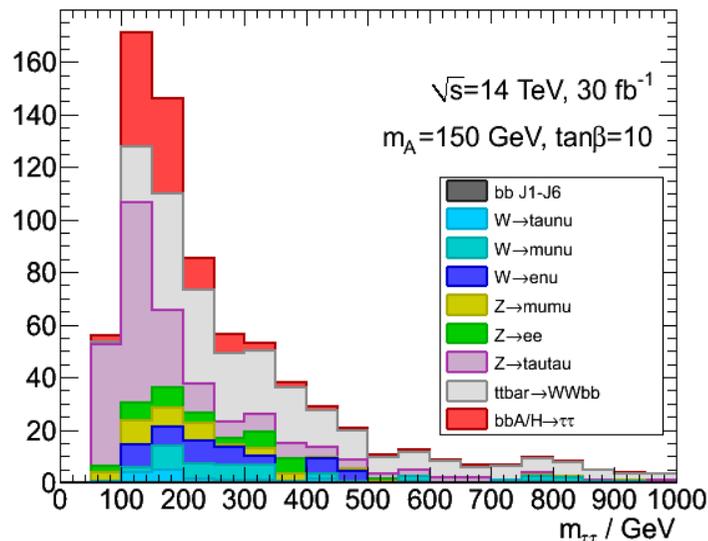


Work in Progress - Analysis in LepHad Channel

- Due to larger branching fraction expand search up to 800 GeV
- Expect large contributions from W +jets and QCD due to tau and lepton fakes



Tight tau and lepton ID
 (use full detector info and require isolation to other objects)
 at least one b-tag (vs. Z and W), less than 3 jets (vs. ttbar)
 Small m_T (vs. W +jets and ttbar)
 Large $p_{T,miss}$ (vs. QCD)
 p_T of the tau (vs. QCD, W and ttbar)
 $\Delta\Phi$ between lepton and tau (vs. W and ttbar)



ttbar dominant background for high m_A

Note in preparation



$Z \rightarrow \tau\tau \rightarrow \text{lelep}$ Estimation from Data

- There are many methods to estimate the shape of $Z \rightarrow \tau\tau$ from data:
 - Muon momentum rescaling using 3D reference histograms in $Z \rightarrow \tau\tau \rightarrow \mu\mu$ (Bonn/Dresden)
 - Electron cluster reweighting in $Z \rightarrow \tau\tau \rightarrow ee$ (Dresden)
 - Embedding of (all kind of) τ decays into $Z \rightarrow \mu\mu$ events (Bonn/Freiburg)
- ⇒ Obtained $m_{\tau\tau}$ shapes could be used by input to a mass fit

- For a counting experiment we need to know the total number of $Z \rightarrow \tau\tau$ events in a possible signal region:

Weight MC $Z \rightarrow \tau\tau$ event number with ratio of $Z \rightarrow \mu\mu/ee$ event number ratio (MC to data) to become independent of MC lepton acceptance predictions.

$$\#(Z \rightarrow \tau\tau \rightarrow \mu\mu)^{Signal,DATA} = \sum_{i,j} \#(Z \rightarrow \tau\tau \rightarrow \mu\mu)_{i,j}^{Signal,MC} \cdot \frac{\#(Z \rightarrow \mu\mu)_{i,j}^{Sideband,DATA}}{\#(Z \rightarrow \mu\mu)_{i,j}^{Sideband,MC}}$$

- All these methods use $Z \rightarrow ee$ and/or $Z \rightarrow \mu\mu$ data events from a sideband region (sideband \equiv signal free)



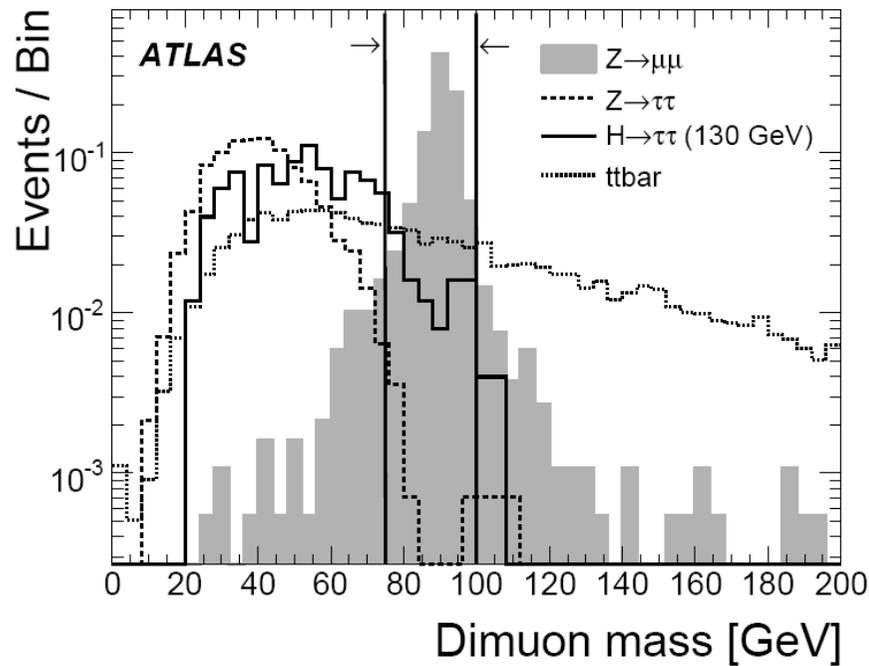
Z → ee / Z → μμ Selection as a Control Sample

Cuts: Trigger (mu20 or 2e15, e25)

m_{lelep} (75 ... 100) GeV

Jets < 3 (vs. ttbar)

≥1 b-tag (vs. W+jets, ggH, ..)



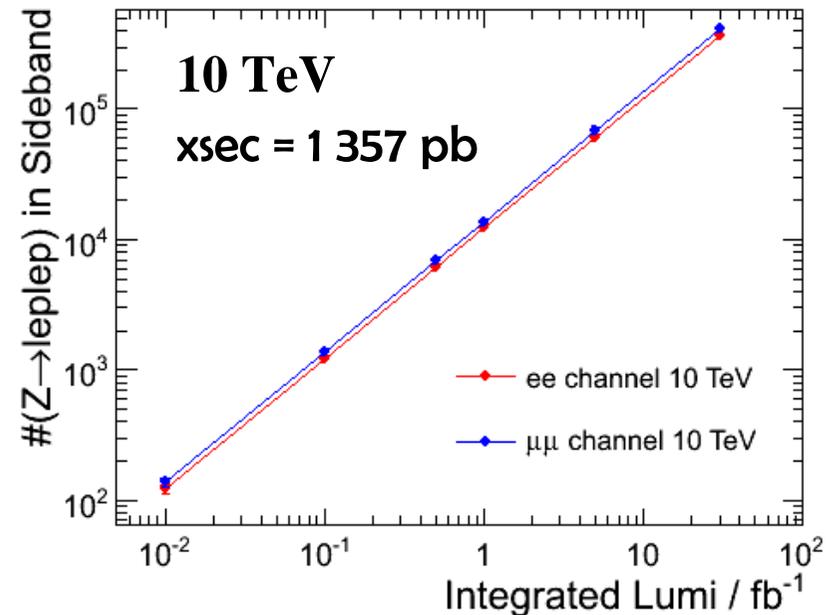
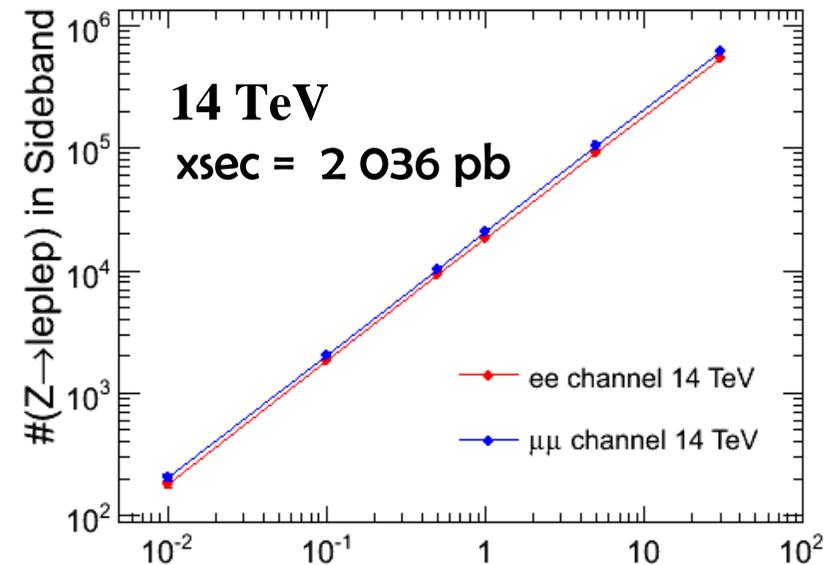
Example, ee channel:

$m_A=130$ GeV, $\tan\beta=45$, 1 fb^{-1}

18 K Z → ee events, 490 ttbar events

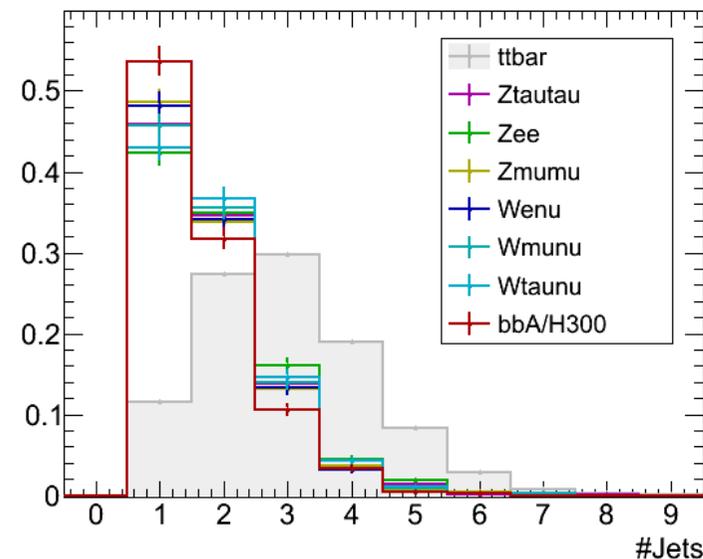
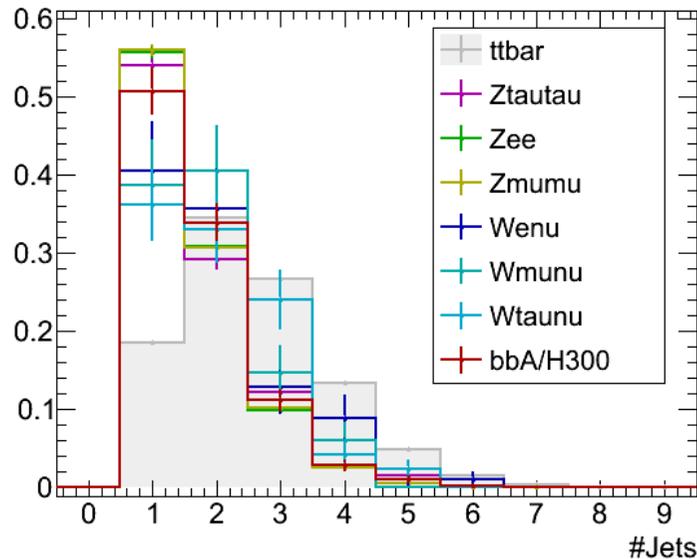
⇒ Sideband purity 97 %

Event Yield in Z → ee/μμ Sidebands



ttbar Estimation from Data

- We cut on the number of jets to reduce ttbar background \Rightarrow #jets < 3, with jet $p_T > 20$ GeV
- Statistical significance is better if 2-jet bin kept in analysis
- The other backgrounds are aggressively reduced by kinematical cuts (p_T , m , $\Delta\Phi$, ..)



Two Methods are being studied:

We use ttbar Control region to get information on the njet distribution from data

1. Measure ratio of 1 to 2 jet bins in signal and control region to calculate number of tt events
2. Use full njet distribution from control region and normalise to tail of njet distribution in signal region to estimate N^{ttbar}

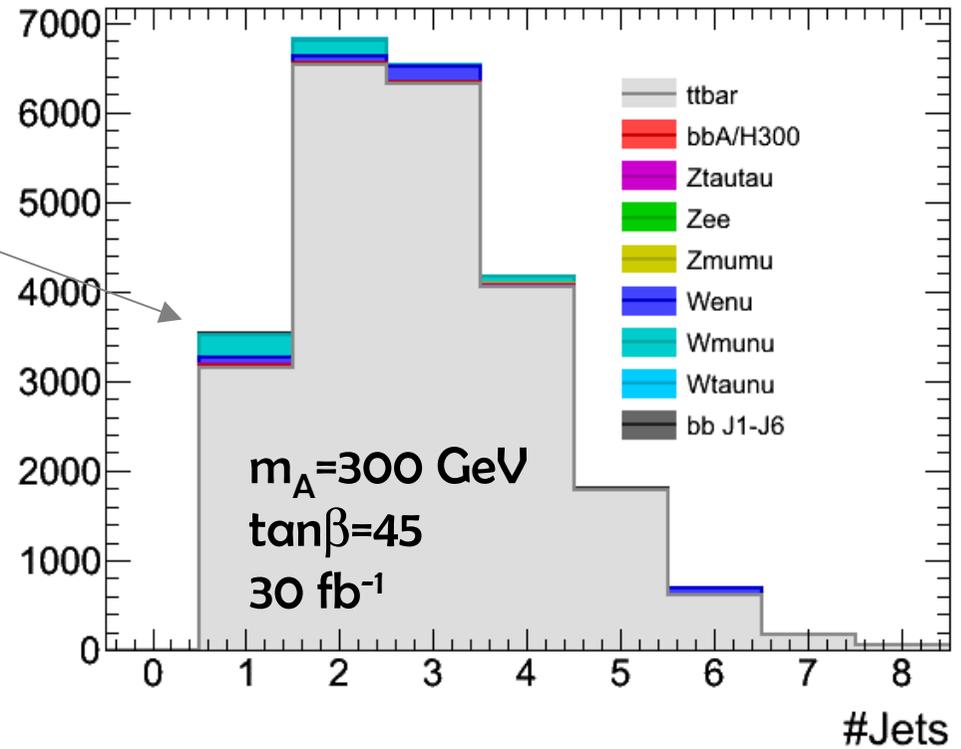


ttbar Estimation from Data - Control Sample in LepHad

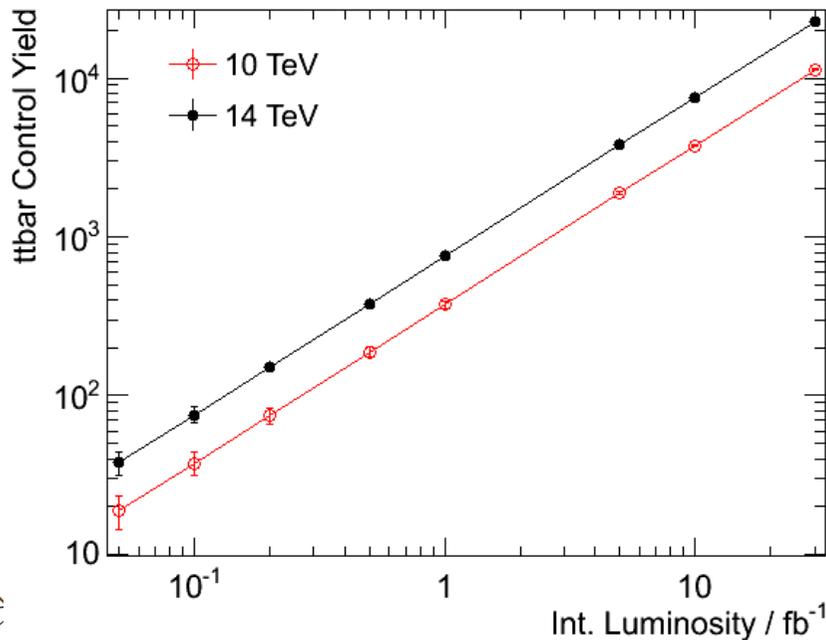
Cuts:

- $p_{T,miss} > 100$ GeV
- $m_T > 50$ GeV
- $p_{T,lep} > 40$ GeV
- $p_{T,tau} > 50$ GeV
- $\tau_{LLH} > -10$

W+jets irreducible.
Small bias of the
njets distribution.



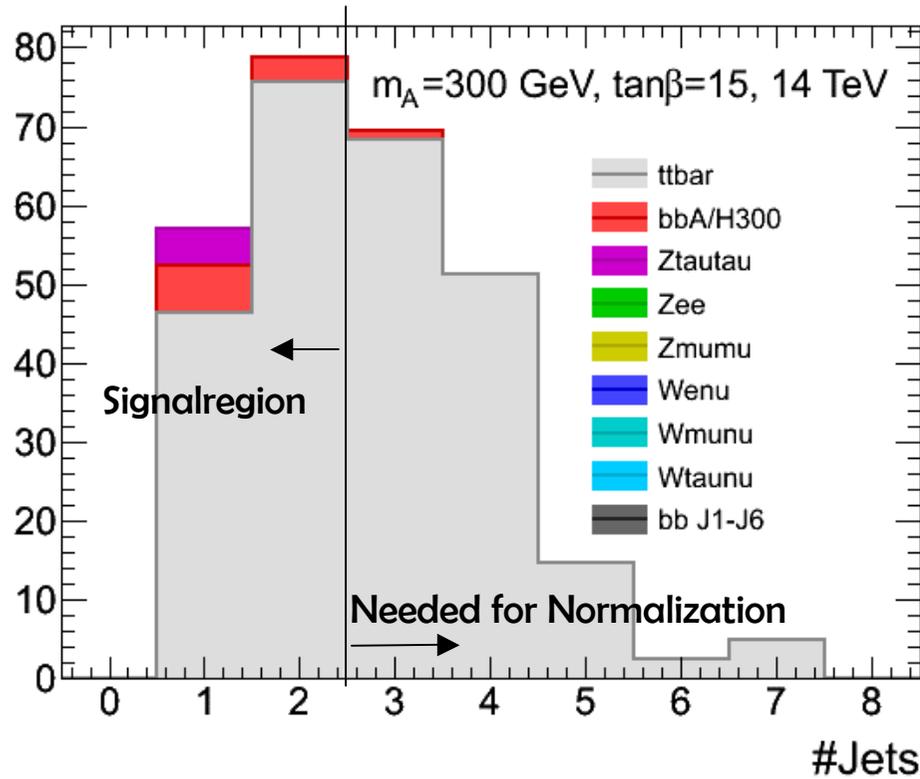
Control region event yield:



ttbar	22 716	95.4 %
W → lν	910	3.8 %
W → τν	51	0.2 %
Z → ττ/ll	42	0.2 %
bb J1 - J6	25	0.1 %
bb H/A	68	0.3 %

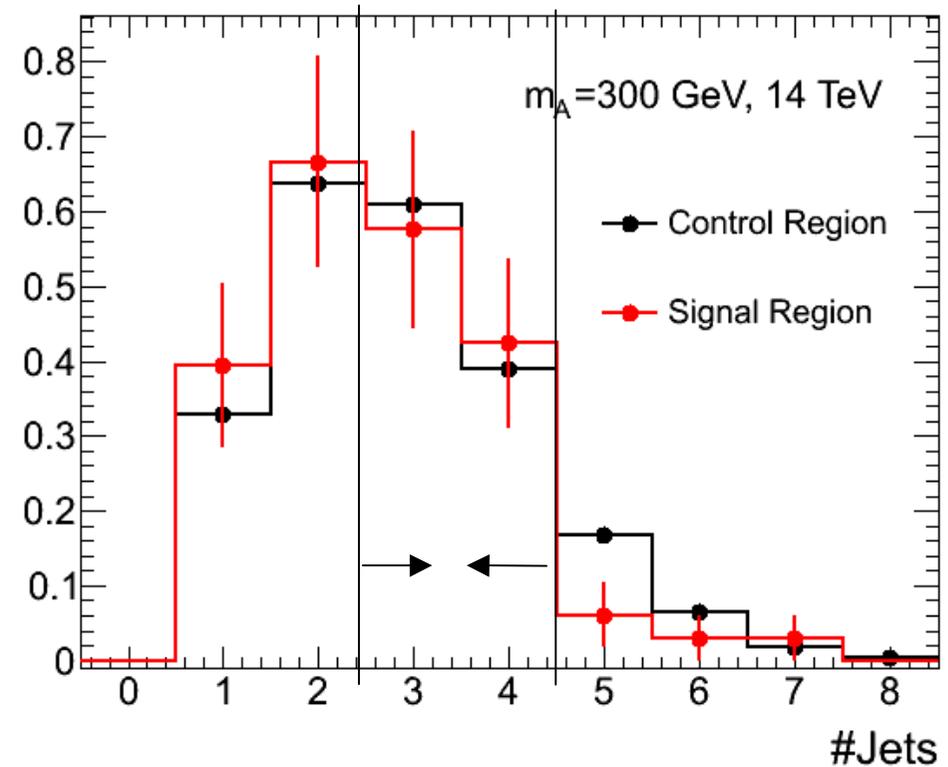


ttbar Estimation from Data - Results in LepHad



#jets=1 || #jets=2
 Tight tau & tight lepton
 At least one b-tag
 $m_T < 25 \text{ GeV}$
 $p_{T\text{miss}} > 25 \text{ GeV}$
 $p_{T\text{tau}} > 50 \text{ GeV}$
 $3.0 > \Delta\Phi > 2.4$

Distributions normalized to bins with 3 and 4 jets



Result in mass window (200-400 GeV):

ttbar in data, signal region: 87 ± 9

MC prediction: 85 ± 9

Exp. Stat. Uncertainty: 10.6 %



Prospects for First Data

- **Expected Events in 200 pb⁻¹ with 10 TeV after cuts:** *L. Nisati, talk at Bonn '09*
 - Hundred of thousands of $W (\rightarrow l \nu) + \text{jets}$
 - Tens of thousands of $Z (\rightarrow l e l e p) + \text{jets}$
 - Several hundreds of $t\bar{t} \rightarrow WWbb \rightarrow l e p h a d \nu \nu b b$

⇒ Possibilities given for important background studies.
- $H/A \rightarrow \tau\tau$ Analysis cannot be applied „as it is“ to first data but has to be adjusted!
 - ⇒ Loose object selection, no complicated highly tuned cuts
- **General First Data steps:**
 - Understand lepton trigger and lepton ID
 - Understand hadronic tau reconstruction and tau fake rate
 - Learn about jet reconstruction and b-tagging
 - Reconstruct $Z \rightarrow \tau\tau$ and $t\bar{t}$ events and try to apply background estimation procedures
 - A low Higgs mass signal at high $\tan\beta$ could already be seen if systematics are controlled



Conclusions

The MSSM channel $b\bar{b} h/A/H \rightarrow \tau\tau$ covers almost the full allowed mass range.

Open issues and next steps:

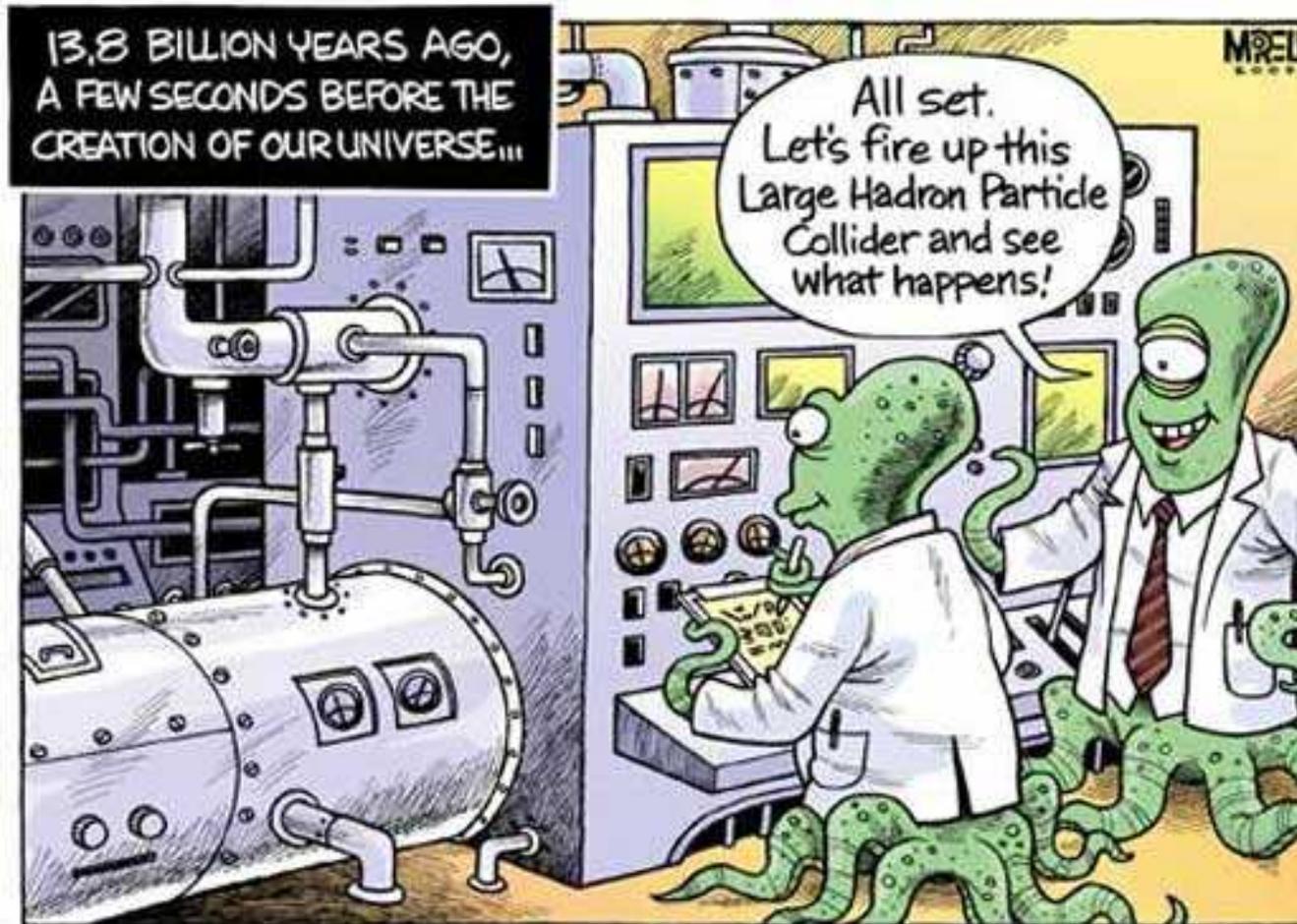
- Finish 14 TeV study in the lephad channel before first collisions (note in prep)
- Understand $m_{\tau\tau}$ shifts, esp. by comparing to other channels and experiments
- Move the analysis to first data @ 10 TeV:
 - ⇒ Adjust selection
 - ⇒ Update the background estimation procedures

A possible early discovery in this model and channel is constraint by:

- The performance of the Atlas detector with first data
- The unknown theory parameter $\tan\beta$

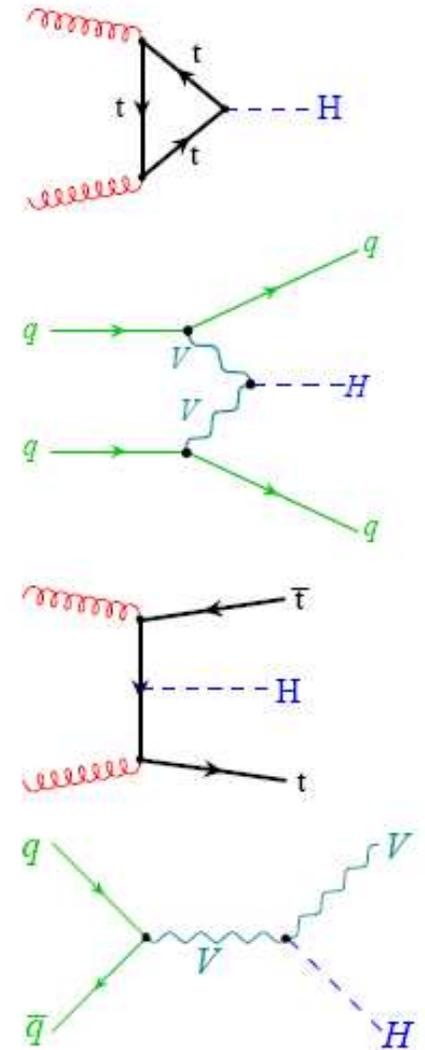
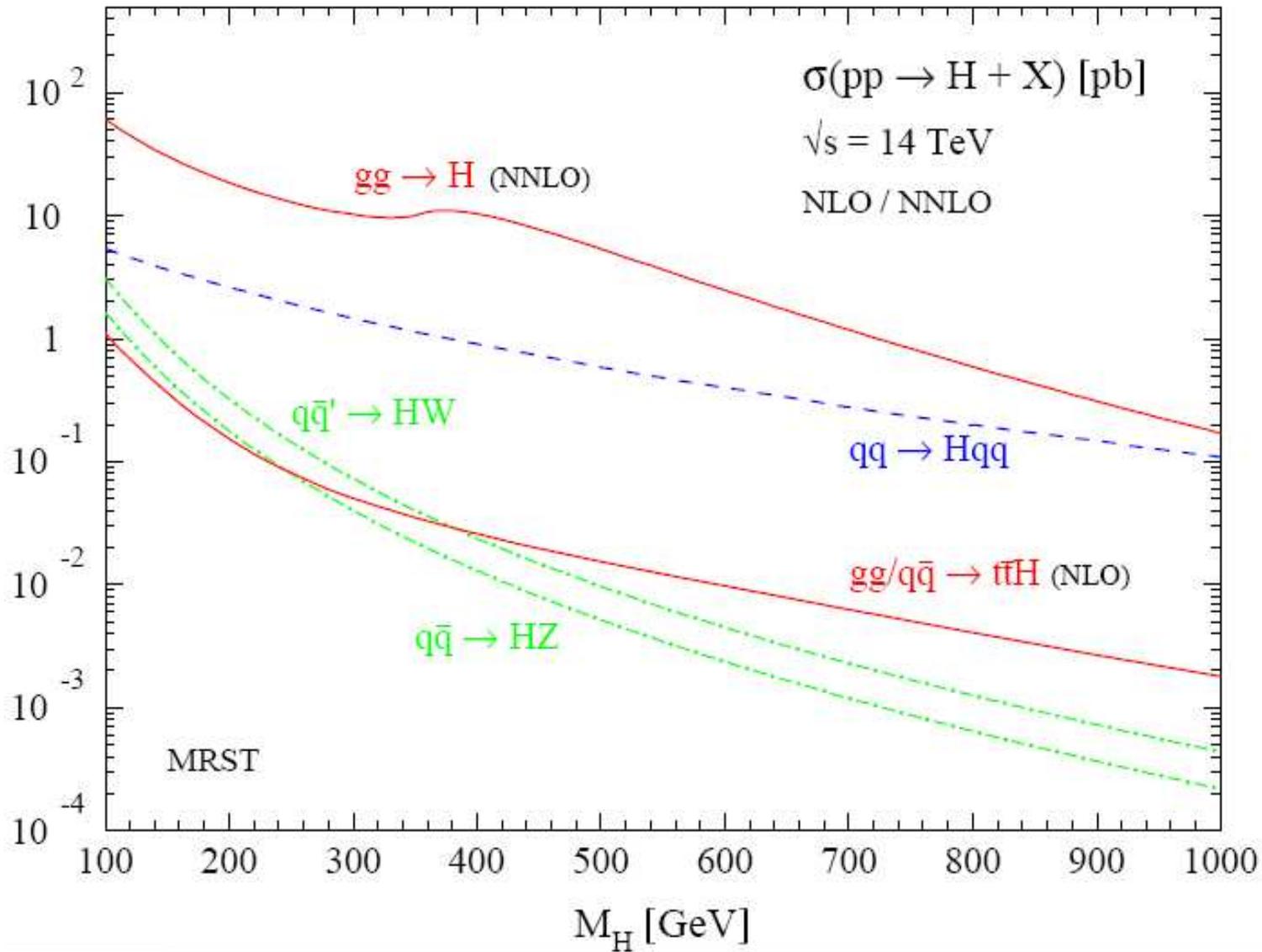


Backup



<http://www.geeksaresexy.net>

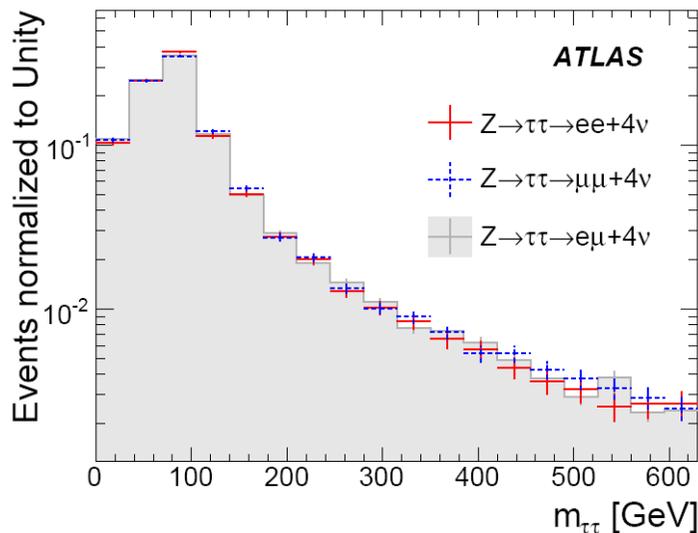
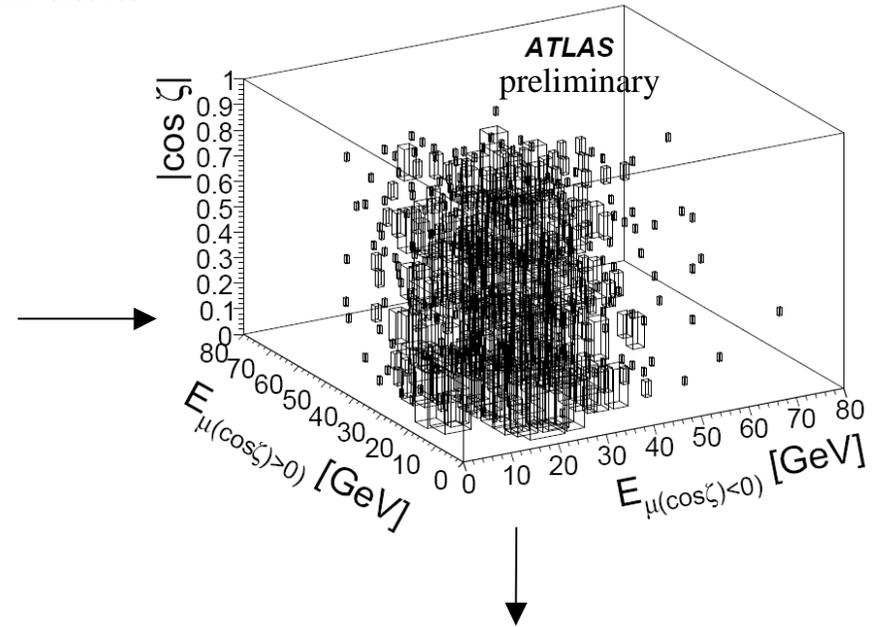
SM Higgs Production Cross Sections



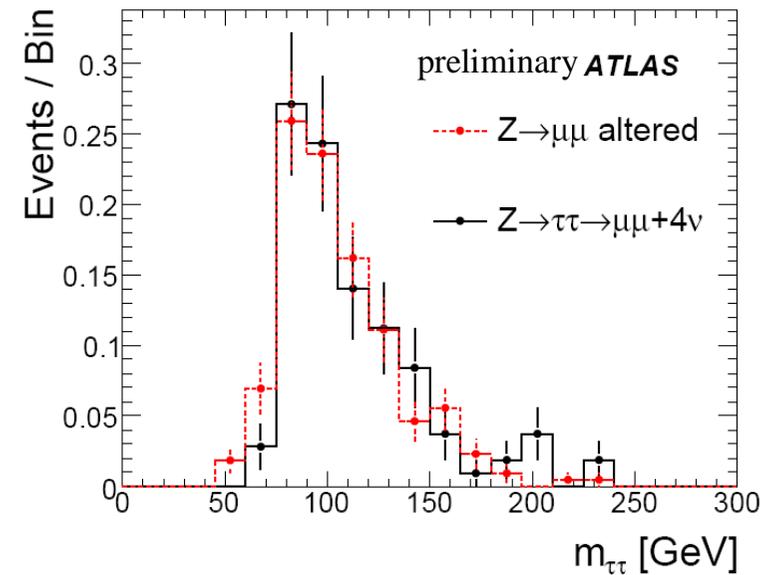
$Z \rightarrow \tau\tau \rightarrow \ell\ell$ Estimation from Data

Estimation of irreducible $Z \rightarrow \tau\tau$ background from data

- Selection of $Z \rightarrow \mu\mu$ events from data (sideband) with 98% purity
- Alter μ energies and momenta according to $Z \rightarrow \tau\tau$ reference histograms (MC, signal region) (*Martin Schmitz „Old Bonn Method“*)
- Apply cuts to manipulated $Z \rightarrow \mu\mu$ events to obtain correct $Z \rightarrow \tau\tau$ shape

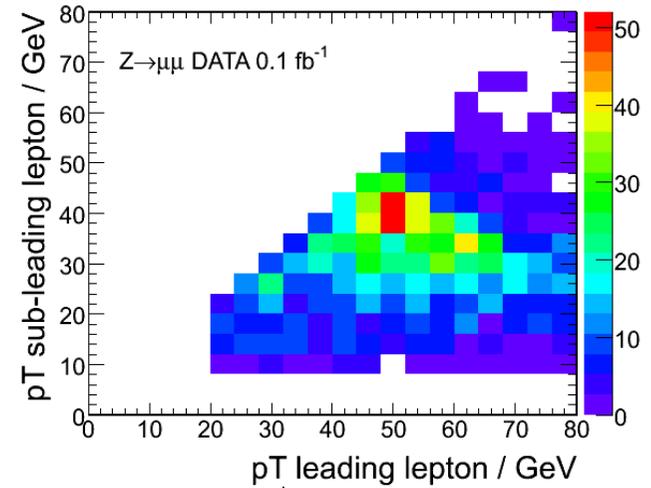


Shapes of other leptonic channels similar to $\mu\mu$ shape



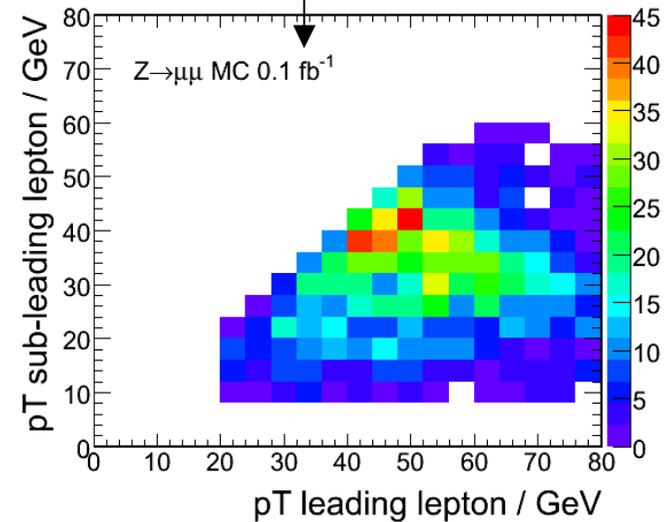
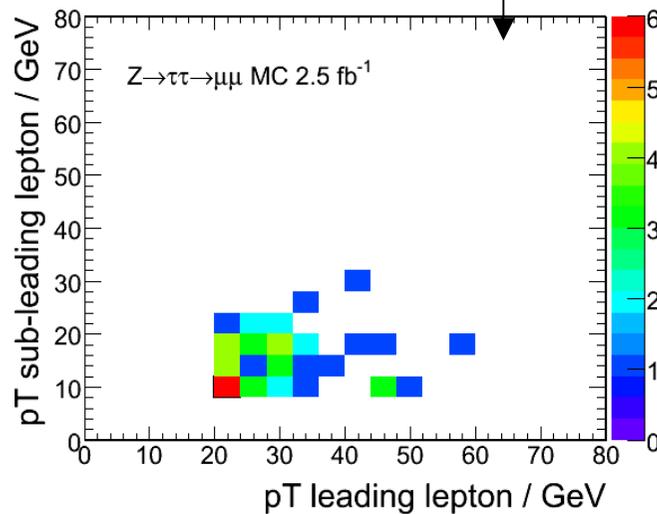
$Z \rightarrow \tau\tau \rightarrow \mu\mu$ Estimation from Data

- 2D binning in p_T to avoid difficulties of p_T dependent acceptances, turn on curves etc
- Lepton p_T spectra very different between sideband and signal region
- Calculation only in non-zero bins in overlap region of p_T spectra



$$\#(Z \rightarrow \tau\tau \rightarrow \mu\mu)^{\text{Signal, DATA}} = \sum_{i,j} \#(Z \rightarrow \tau\tau \rightarrow \mu\mu)_{i,j}^{\text{Signal, MC}} \cdot \frac{\#(Z \rightarrow \mu\mu)_{i,j}^{\text{Sideband, DATA}}}{\#(Z \rightarrow \mu\mu)_{i,j}^{\text{Sideband, MC}}}$$

What we want
(see next slide)



ttbar Estimation - First Method

Assumptions:

- One keeps the one-jet (N_1) and two-jet bin (N_2)
 - One understands the $Z \rightarrow \tau\tau$ background in both bins (important for lower masses) (eg. use data-driven method to estimate expected number of $Z \rightarrow \tau\tau$ background)
 - One suppresses or understands other backgrounds (W+jets, QCD)
- ⇒ Only left with ttbar and signal in the Higgs signal region
Use information from the two jet bins to estimate number of ttbar events

All events in 1 (2) jet bin:

$$N_1 = N_1^{\text{Higgs}} + N_1^{\text{ttbar}}$$

$$N_2 = N_2^{\text{Higgs}} + N_2^{\text{ttbar}}$$

Introduce jet ratios:

$$V_{\text{higgs}} = N_2^{\text{Higgs}} / N_1^{\text{Higgs}}$$

$$V_{\text{ttbar}} = N_2^{\text{ttbar}} / N_1^{\text{ttbar}}$$

→ Take from (well tuned) MC

→ Measure in control sample

$$\Rightarrow N^{\text{ttbar}} = \frac{(1+V_{\text{ttbar}}) \cdot (N_1 \cdot V_{\text{Higgs}} - N_2)}{V_{\text{Higgs}} - V_{\text{ttbar}}}$$

N_1 and N_2 measured in **signal region**

will not work if $V_{\text{Signal}} = V_{\text{Background}}$

Do this calculation binned in $m_{\tau\tau}$ (if statistics allows) to obtain ttbar $m_{\tau\tau}$ shape!

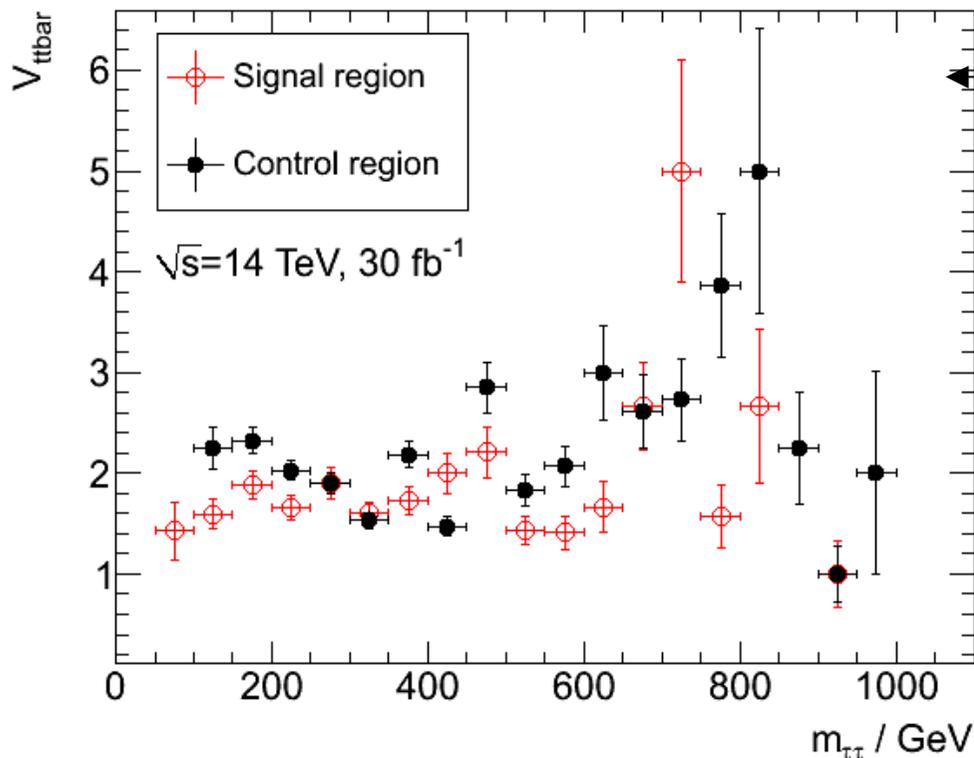


By using this data-driven approach we avoid the large uncertainty on the ttbar xsec.

LepLep Channel Results

Comparison $V_{t\bar{t}}$ signal and control region:

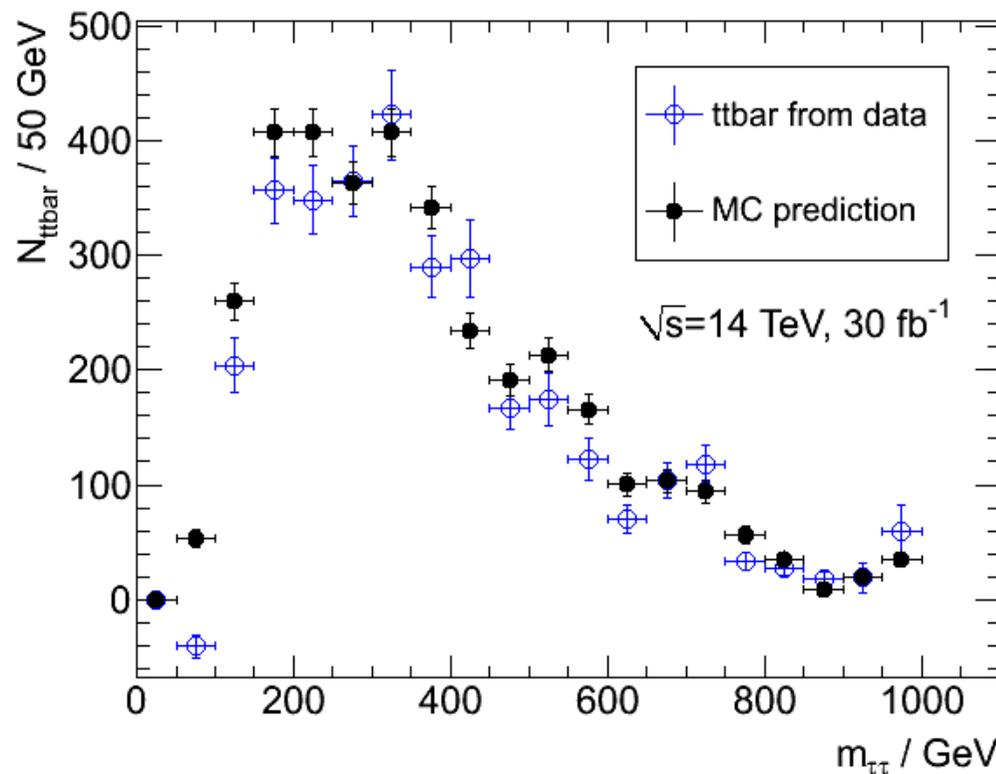
Signal region cuts in backup.



Does not look so great

Does not look so bad, except for a few bins.

Estimated $t\bar{t}$ events:



Statistical Uncertainties only.

N_1 and N_2 anti-correlated.

Errors bars reflect expected uncertainty, not real MC uncertainty, which is larger.

