

Search for 4th Generation Quarks with the ATLAS-Detector

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- 1 motivation
- 2 mc samples
- 3 first studies
- 4 outlook

present situation:

- the number of families is not fixed by the Standard Model
- three families of leptons and quarks experimentally verified
- Z-pole experiment: $N_\nu = 3$ with $m_\nu < m_Z/2$
- if ν_4 exists: $m_{\nu_4} \gtrsim m_Z/2$
- electroweak precision fit doesn't exclude 4th gen. model
in contrast to PDG's statement

with a fourth generation:

- possible way to explain baryogenesis
(Fok & Kribs, Phys.Rev.D78:075023,2008;
Hou, Chin. J. Phys.47:134, 2009)
- higher Higgs mass (up to 600GeV) possible
(Kribs, Plehn, Spannowsky & Tait, Phys.Rev.D76:075016,2007)

current limits on short living particles:

- $m_{l_4} > 100.8 \text{ GeV}$ (LEP2)
- Dirac: $m_{\nu_4} > 90.3 \text{ GeV}$, Majorana: $m_{\nu_4} > 80.5 \text{ GeV}$ (LEP2)
- $m_{t'} > 311 \text{ GeV}$ @ 95% CL (CDF 2008, 2.8 fb^{-1})
 $Q\bar{Q} \rightarrow q\bar{q} + 2W$ in single lepton events with jets
- $m_{b'} > 325 \text{ GeV}$ @ 95% CL (CDF 2009, 2.7 fb^{-1})
 $Q\bar{Q} \rightarrow t\bar{t} + 2W$ in same-charge dilepton events with jets

consequence:

- looking for 4th gen. quarks with $m \geq 300 \text{ GeV}$

tiny mixing angles (particles could have long lifetime):

- relaxed mass limits
(Hung & Sher, Phys.Rev.D77:037302,2008)

final states of t' and b' decay with sizable branching fraction:

(assumption: $m(b') - m(t) > m(W)$, $V_{tb'}$ sufficiently large)

$m(t') > m(b')$	$m(t') - m(b') > m(W)$	$b' \bar{b}' \rightarrow t \bar{t} + 2W \rightarrow b \bar{b} 2W^+ 2W^-$ $t' \bar{t}' \rightarrow b' \bar{b}' + 2W \rightarrow b \bar{b} 3W^+ 3W^-$
	$m(t') - m(b') < m(W)$	$b' \bar{b}' \rightarrow tW^- \bar{t}W^+ \rightarrow b \bar{b} 2W^+ 2W^-$ $t' \bar{t}' \rightarrow bW^+ \bar{b}W^-$
$m(b') > m(t')$	$m(b') - m(t') > m(W)$	$b' \bar{b}' \rightarrow t'W^- \bar{t}'W^+ \rightarrow b \bar{b} 2W^+ 2W^-$ $b' \bar{b}' \rightarrow tW^- \bar{t}W^+ \rightarrow b \bar{b} 2W^+ 2W^-$ $t' \bar{t}' \rightarrow bW^+ \bar{b}W^-$
	$m(b') - m(t') < m(W)$	$b' \bar{b}' \rightarrow tW^- \bar{t}W^+ \rightarrow b \bar{b} 2W^+ 2W^-$ $t' \bar{t}' \rightarrow bW^+ \bar{b}W^-$

decay channels:

- $b'\bar{b}' \rightarrow t\bar{t} + W^+W^- \rightarrow b\bar{b} + 2W^+2W^-$
- $t'\bar{t}' \rightarrow b'\bar{b}' + W^+W^- \rightarrow t\bar{t} + 2W^+2W^- \rightarrow b\bar{b} + 3W^+3W^-$

⇒ b' final states:

- $l^\pm l^\pm + 4 \text{ jets: BR} = 0,0597$ ($l^\pm l^\mp + 4 \text{ jets: BR} = 0,1195$)
- $3l + 2 \text{ jets: BR} = 0,0465$

⇒ t' final states:

- $l^\pm l^\pm + \text{jets,}$
- $3l + \text{jets,}$
- $l^\pm l^\pm l^\pm + \text{jets}$

signal production:

- mc generator: pythia6.4.19
- detector simulation: atlfast2
 - geant 4 full simulation of inner detector
 - calorimeter: parametrized simulation of particle energy reponse and energy distribution with fastcalo sim algorithm
 - geant 4 full simulation of the muon system
- geant4
 - toolkit for the simulation of the passage of particles through matter
 - problem: 15min/event for $Z^0 \rightarrow e^+e^-$
 - 80% of the full simulation time is spent for tracking particles through the calorimeters
- analysis tool: A^{++}

analysis tool: **A⁺⁺**:

- main author: Oliver Maria Kind (HU Berlin)
- object-oriented analysis framework
- written in C++
- heavily based on the ROOT libraries
- convert different atlas data formats (ESD/AOD/D¹PD/D²PD) in root event files directly
- user friendly (help function,...)
- tool used for different analyses

produced b' samples (10TeV):

m [GeV]	NLO cross section [pb] *
300	20.319
350	8.895
400	4.116
450	2.166
500	1.230

* NLO: LO with k-factor
from $t\bar{t}$ @ 14TeV
assuming same k @ 10TeV

produced t' samples (10TeV):

m [GeV]	NLO cross section [pb] *
400 ($m_{b'} = 300$)	3.959
450 ($m_{b'} = 350$)	2.207
500 ($m_{b'} = 400$)	1.970
550 ($m_{b'} = 450$)	0.642
600 ($m_{b'} = 500$)	0.380

background (under consideration):

sample	cross section (10 TeV)
$t\bar{t} + jets$	12.66pb - 121.21pb
single top	2pb - 15pb
$W(\rightarrow l^\pm \nu) + jets$	10184.70pb - 16.60pb
$Z(\rightarrow l^+ l^-) + jets$	898.20pb - 1.70pb
$WW(\rightarrow l^\pm \nu) + jets$	5.388pb - 1.128pb
$WZ(\rightarrow l^\pm \nu, l^+ l^-) + jets$	1.840pb - 0.648pb
$ZZ(\rightarrow l^+ l^-) + jets$	1.351pb - 0.190pb
ZWW, ZWZ, ZZZ and WWW	6 fb - 52fb
$W(\rightarrow l^\pm \nu) + bb + jets$	5.13pb - 1.61pb
$t\bar{t}bar + W^\pm + jets, t\bar{t}bar + 2W^\pm + jets$	
$t\bar{t}bar + Z + jets, t\bar{t}bar + 2Z + jets$	
$t\bar{t}bar + H(m_H > 200\text{GeV}) + jets$	
$W + \gamma + jets$	
QCD jets (J1, ..., J7)	$1.17 \cdot 10^{10}$ pb - 1.075pb

electron:

- standard electron algorithm
 - cluster based algorithm
 - reconstruction of high p_T isolated electrons
- tight selection
 - electron candidates has to pass all cuts based on the shower shape properties in different compartments of the calorimeter as well as variables combining ID and Calo informations
- $p_T^{all} > 20\text{GeV}$ and $p_T^{leading} > 35\text{GeV}$
- isolation criterion: $E_t^{cone20} < 8\text{GeV}$
 - calculated by subtracting the lepton energy deposited in the calorimeter system from the overall deposited energy within a cone of radius $R = \sqrt{\Delta\eta - \Delta\phi} = 0.2$

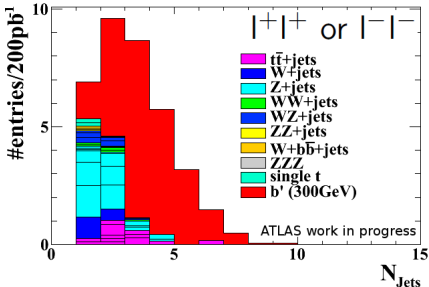
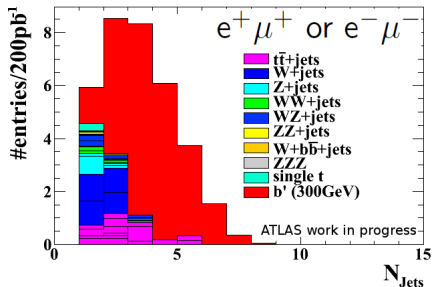
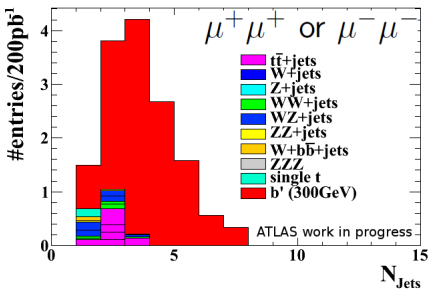
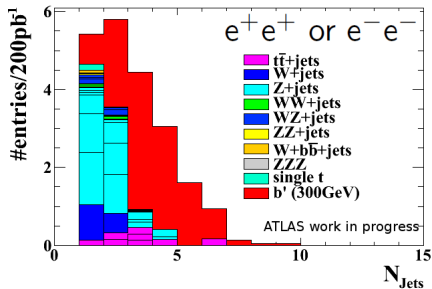
muon:

- staco algorithm
 - merge the two independent measurements derived from the inner detector track with the muon spectrometer track
- $\chi^2/NDoF < 5$
 - χ^2 define the difference between both tracks
- $p_T^{all} > 20\text{GeV}$ and $p_T^{leading} > 35\text{GeV}$
- isolation criterion in the calorimeter: $E_t^{cone20} < 10\text{GeV}$

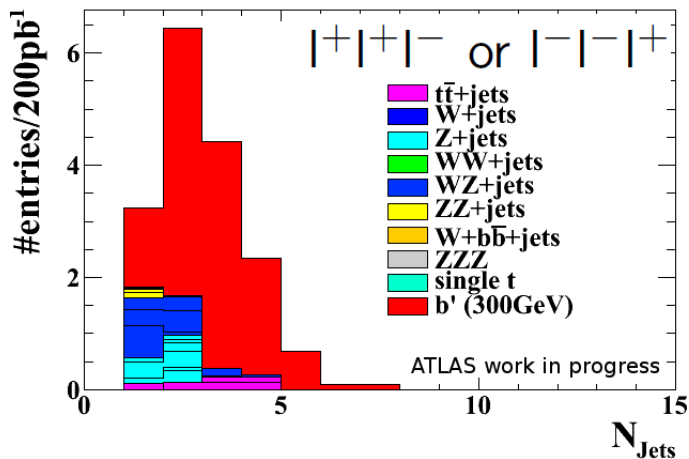
jets:

- Cone4H1TowerJets
 - standard ATLAS seeded cone algorithm in a radius of
$$R = \sqrt{\Delta\eta - \Delta\phi} < 0.4$$
 - use calorimeter towers which have $E_T > 1\text{GeV}$
 - problem: every particle in the calorimeter will be reconstructed as a jet
- overlap removal ($\Delta R < 0.2$ and $|\eta| < 2.5$) with e^\pm , μ^\pm , γ and τ^\pm
- $E_T^{all} > 25\text{GeV}$ in order to suppress jets from underlying event
and $E_T^{leading} > 85\text{GeV}$

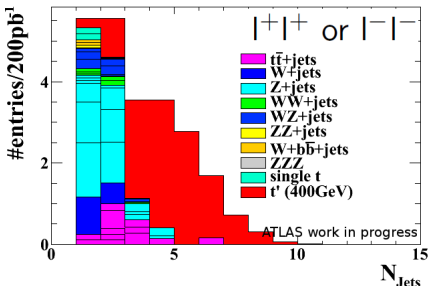
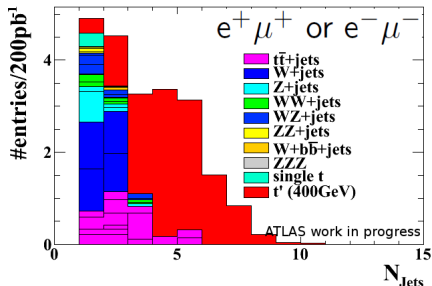
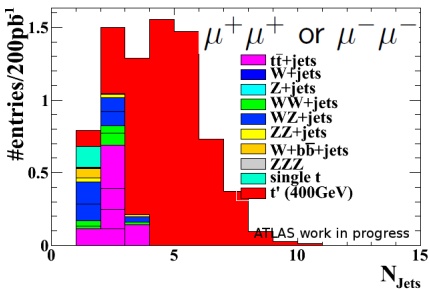
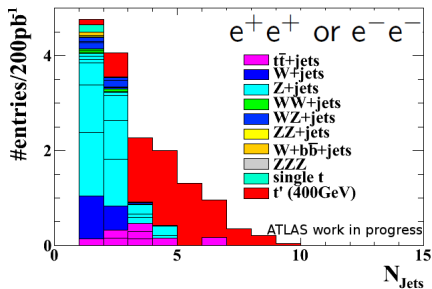
n_{jets} in same sign dilepton events with b' ($m_{b'} = 300\text{GeV}$)



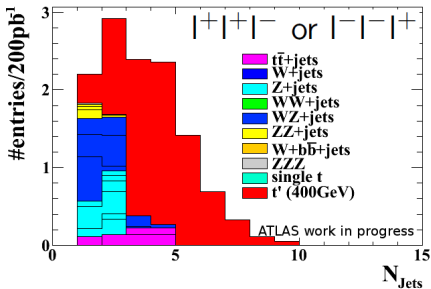
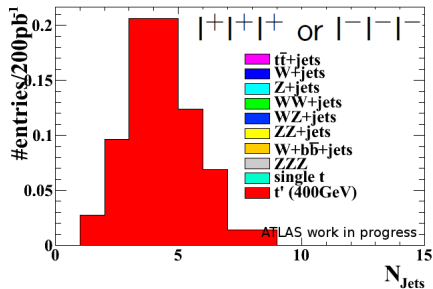
n_{jets} in trilepton events with b' ($m_{b'} = 300\text{GeV}$)



n_{jets} in same sign dilepton events with t' ($m_{t'} = 400\text{GeV}$)



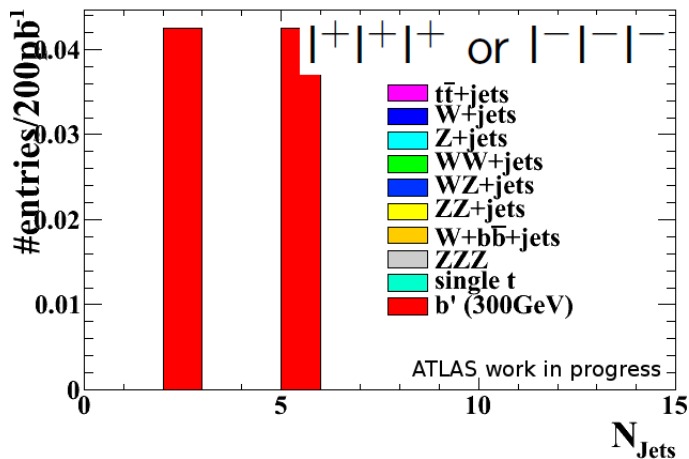
n_{jets} in trilepton events with t' ($m_{t'} = 400\text{GeV}$)



- work performed in collaboration with Michael Wilson (SLAC), M. Hickman (Irvine), A. Taffard (Irvine), D. Whiteson (Irvine), D. Berge (CERN) and S. Schaetzel (CERN)
⇒ pubnote in preparation
- complete study of all background samples
- data driven background and signal extraction:
likelihood fit in n_{jets} for dilepton and trilepton classes
- sensitivity study
- systematic studies
- analysis on first year data

backup slides

n_{jets} in trilepton events with b' ($m_{b'} = 300\text{GeV}$)



- lepton fakes
- background extraction method
- jet merging and jet algorithm
- underlying event
- PDF
- Pile-ups

branching fractions for $2W^+2W^-$ final state

$2W^+2W^-$	$l=e^\pm$	$l=\mu^\pm$	$l=e/\mu$	$l=\tau(\mu, e)$	$l=e/\mu/\tau(\mu, e)$
$1l + 6p$	0,1317	0,1317	0,2634	0,0439	0,3073
$2l(ss) + 4p$	0,0110	0,0110	0,0439	0,0012	0,0597
$2l(os) + 4p$	0,0219	0,0219	0,0878	0,0024	0,1195
$3l + 2p$	0,0037	0,0037	0,0293	$1,4 \cdot 10^{-4}$	0,0465
$4l + 0p$	$1,5 \cdot 10^{-4}$	$1,5 \cdot 10^{-4}$	0,0024	$1,9 \cdot 10^{-6}$	0,0045

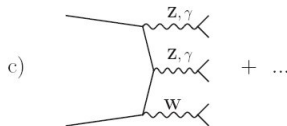
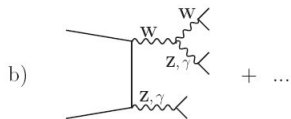
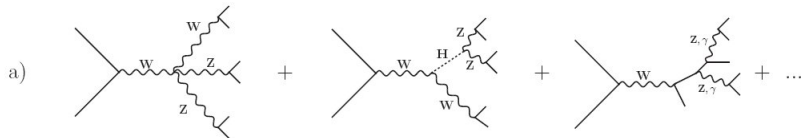
- pythia6 only a LO mc generator
- actually no NLO mc generator with 4th generation model
- $\sigma^{[NLO]} = k \cdot \sigma^{[LO]}$

k-factor calculation via top cross section at 14TeV

(ATL-COM-PHYS-2009-334) :

- $\sigma^{[LO]} = 583pb$
- $\sigma^{[NLO]} = 875pb$
- $k = \frac{\sigma^{[NLO]}}{\sigma^{[LO]}} = 1.5$
- use k-factor of 14TeV for 10 TeV

triple vector boson production



$$V_{CKM}^{4 \times 4} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} & V_{ud_4} \\ V_{cd} & V_{cs} & V_{cb} & V_{cd_4} \\ V_{td} & V_{ts} & V_{tb} & V_{td_4} \\ V_{u_4d} & V_{u_4s} & U_{u_4t} & V_{u_4d_4} \end{pmatrix} = \begin{pmatrix} 0.9738 & 0.225 & 0.0039 & 0.06 \\ 0.22 & 0.96 & 0.041 & 0.22 \\ 0.1 & 0.2 & 0.78 & 0.65 \\ 0.1 & 0.22 & 0.65 & 0.78 \end{pmatrix}$$