



Jets triggers for the ATLAS experiment

Measurement of Global Trigger Efficiency for Multi-Jets analysis

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Outline

- 1 General Introduction: ATLAS Experiment
- 2 Jet Events in ATLAS



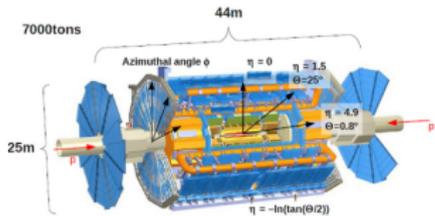
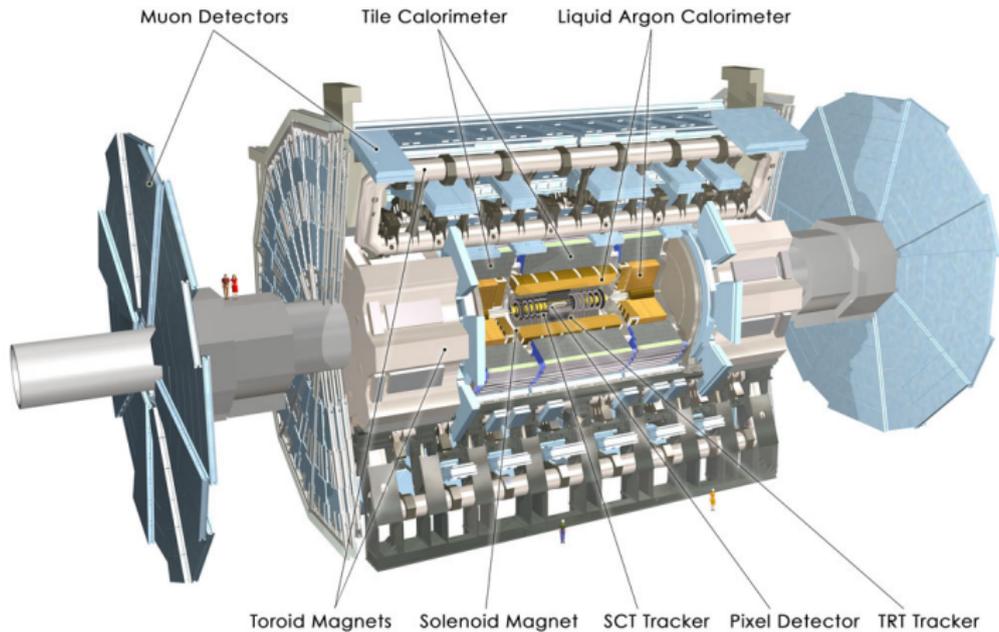
- 1 General Introduction: ATLAS Experiment
- 2 Jet Events in ATLAS
- 3 Jet Triggers in ATLAS
 - ▶ Global Triggers
 - ▶ JetEtSum trigger
 - ▶ sumET trigger
 - ▶ Tigger Efficiency Turn-on curves
 - ▶ Tigger Rates
 - ▶ Tigger Bootstrapping
 - ▶ Some Comparisons and Additions



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 - ▶ Some Comparisons and Additions
- 4 Remarks and Conclusions



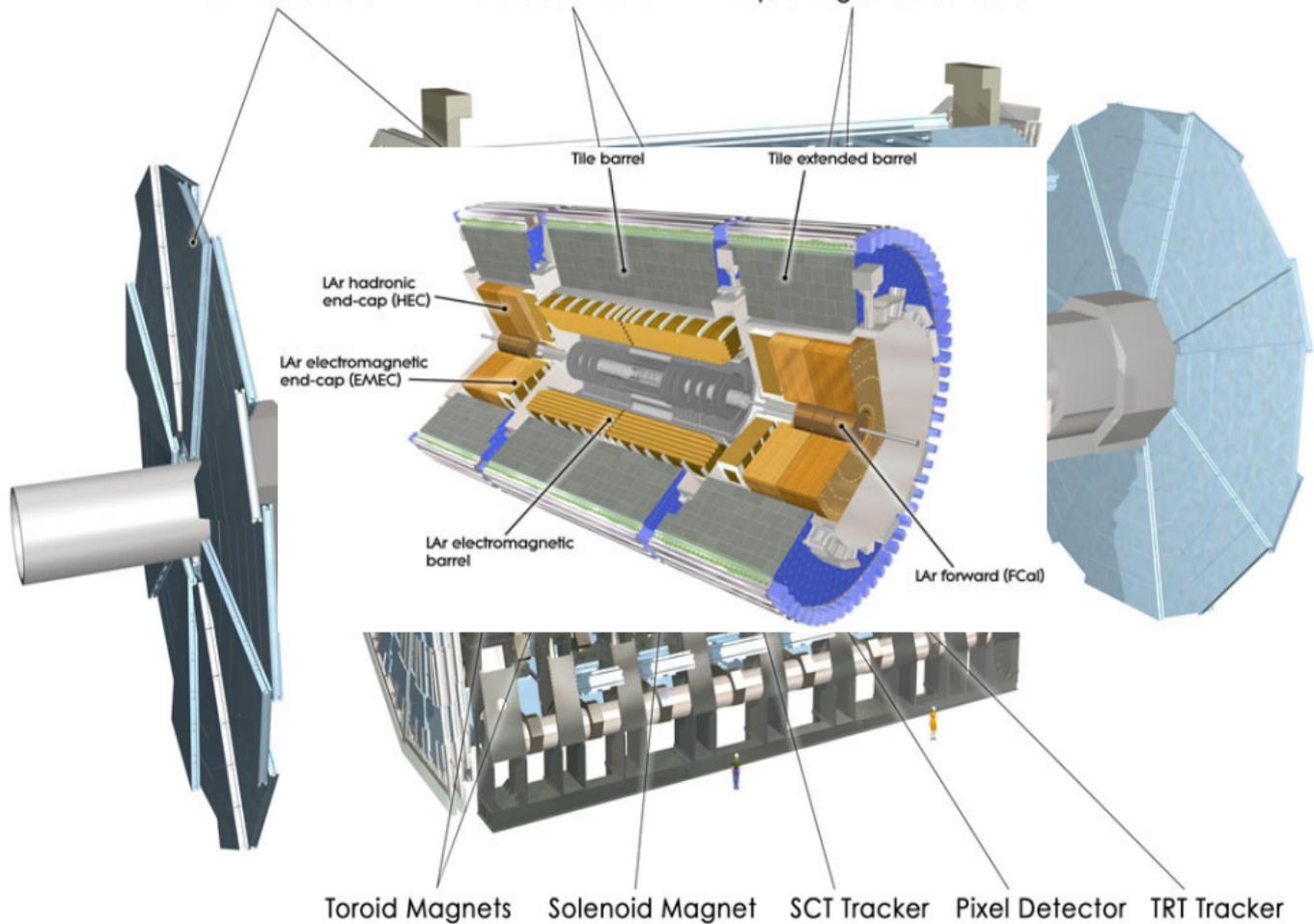
The ATLAS Detector



Muon Detectors

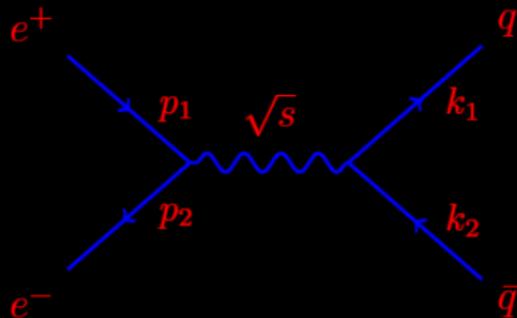
Tile Calorimeter

Liquid Argon Calorimeter

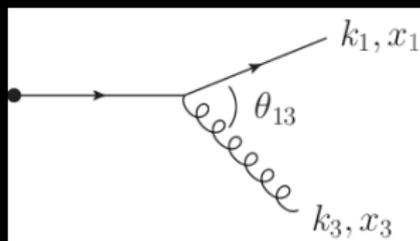
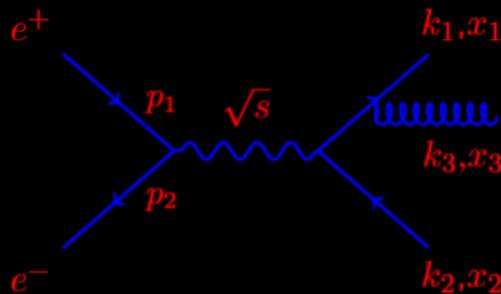
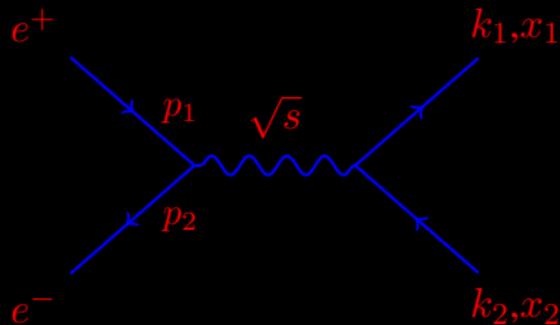


Divergences: Physical origin in QCD dynamics

e^+e^- collisions give QCD final state without initial-state/beam contamination and are useful for many QCD studies



Divergences: Physical origin in QCD dynamics



$$q \text{ propagator: } \sim \frac{1}{(k_1+k_3)^2} \rightarrow \infty$$

$$k_1 \cdot k_3 \rightarrow 0 \Rightarrow (k_1 + k_3)^2 \rightarrow 0$$

▶ $k_3 \rightarrow 0$ **Infrared divergences**

▶ $\theta_{13} \rightarrow 0$ **Collinear divergences**

We have divergences when:

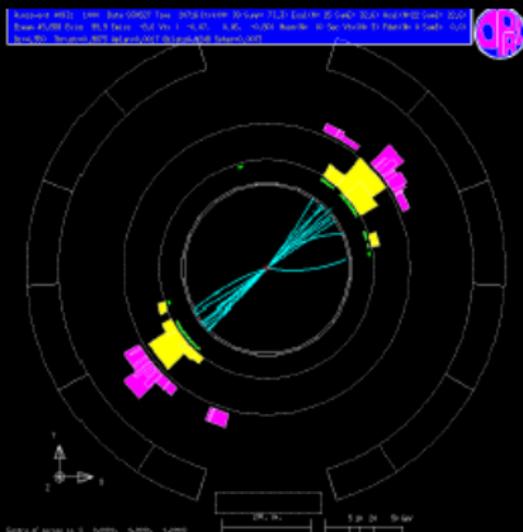
- ▶ a parton emits a soft gluon
- ▶ an outgoing parton splits into two collinear partons



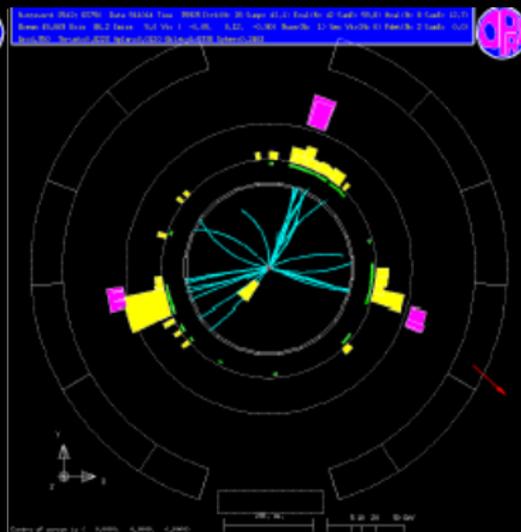
Jet: bunch of collimated particles \rightarrow arbitrary concept

- ▶ As a consequence of the collinear divergence, in final states traces of original partons are visible as collimated bunches of energetic hadrons: QCD branchings are most likely collinear
- ▶ A particularly challenging class of jet production refers to the study of events with more than two jets in the final state, so-called **multi-jet events**

2-Jets event



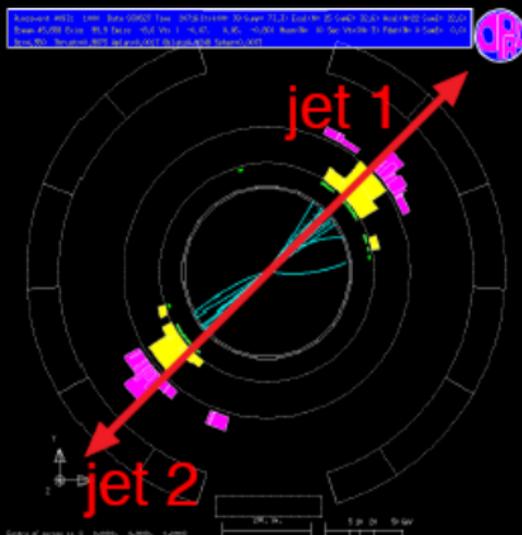
How many jets do you see?



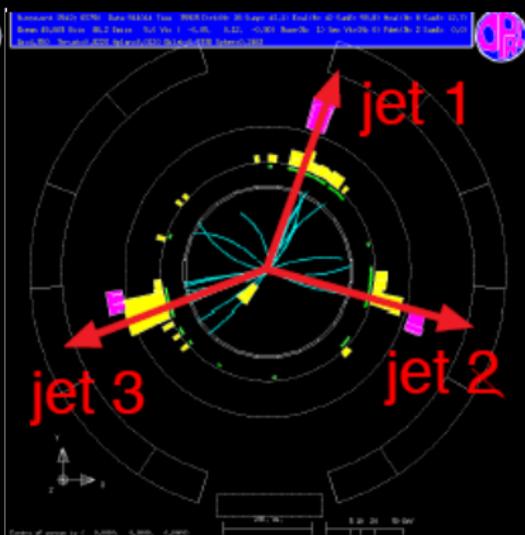
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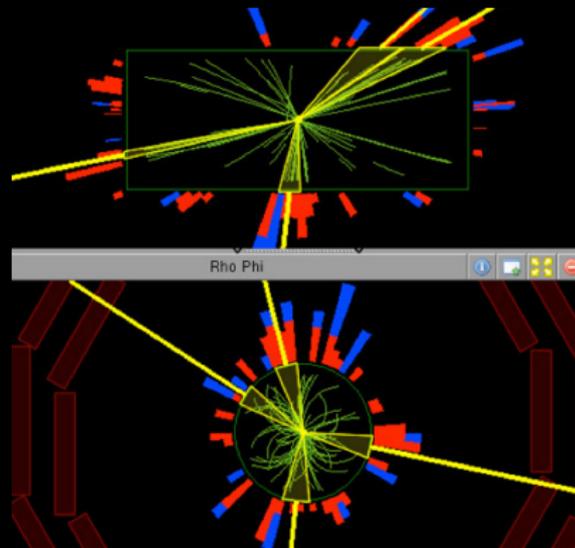
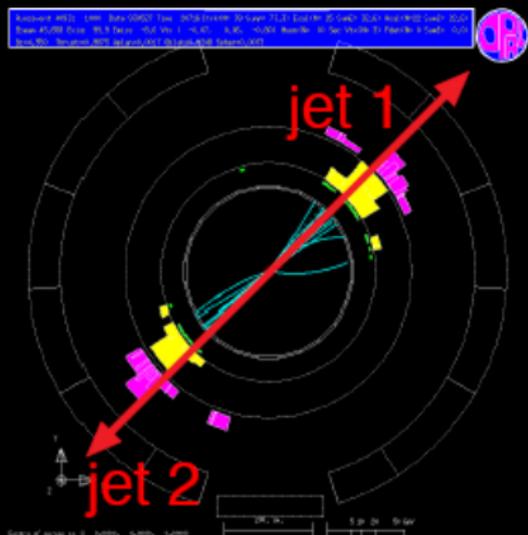


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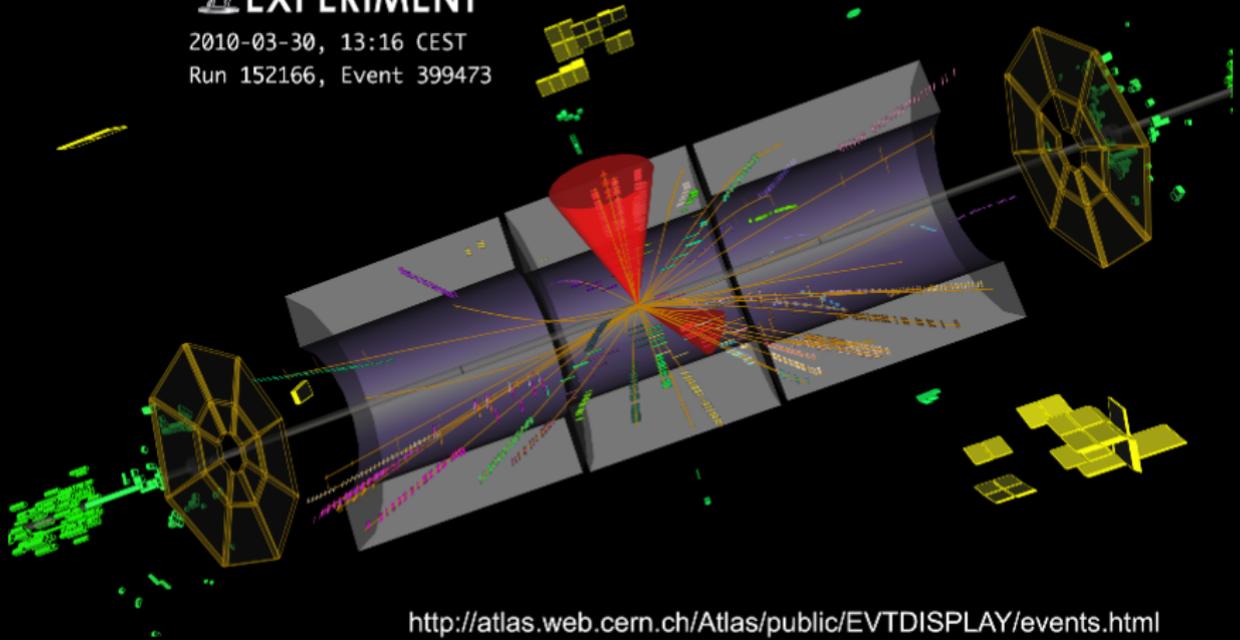
what we would expect from n events?





2010-03-30, 13:16 CEST
Run 152166, Event 399473

2-Jet Collision Event at 7 TeV



<http://atlas.web.cern.ch/Atlas/public/EVTDISPLAY/events.html>

How to characterize a Jet? We need to define it: **jet-finding: jet-algorithm**

Jet Definitions: successive recombinations

- ▶ Clustering algorithms make the reconstruction grouping by pair nearby objects. **Infrared and collinear safe!**
 - ▶ kt: groups closest objects first
 - ▶ anti-kt groups highest pT objects first



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Clustering algorithms definitions

d_{ij} : particle's distance d_{iB} : beam distance

k_{ti} : transverse momentum η_i, ϕ_i : pseudorapidity and azimuth

$$R_{ij}^2 = (\eta_i - \eta_j)^2 + (\phi_i - \phi_j)^2$$



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- 5 Repeat from step 1 until no particles are left

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Clustering algorithms definitions beyond kt

d_{ij} : particle's distance d_{iB} : beam distance

k_{ti} : transverse momentum η_i, ϕ_i : pseudorapidity and azimuth

$R_{ij}^2 = (\eta_i - \eta_j)^2 + (\phi_i - \phi_j)^2$ if in general, $d_{iB} = k_{ti}^{2p}$

$$d_{ij} = \min(k_{ti}^{2p}, k_{tj}^{2p}) R_{ij}^2$$

$$p = \begin{cases} 1, & \text{kt algorithm} \\ 0, & \text{Cambridge/Aachen algorithm} \\ -1, & \text{anti-kt algorithm} \end{cases}$$

LHC data Acquisition

- ▶ 3.5TeV/beam \rightarrow collisions at $\sqrt{s} = 7\text{TeV}$ since March 2010
- ▶ 14TeV proton-proton collisions 2012
- ▶ Instantaneous luminosity $10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- ▶ 368 bunches/beam
- ▶ 40MHz bunch crossings
- ▶ 25ns between bunches

Records data at 200 Hz, event size = 1 MB 200 MB/sec

1 operational year = 107 seconds 2 PByte/year

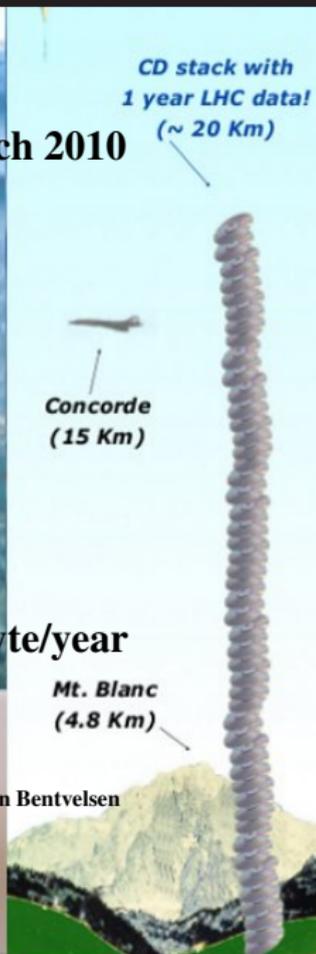
Simulated data + derived data + calibration data 4 PByte/year

There are 4 experiments 16 PByte/year

For at least 10 years

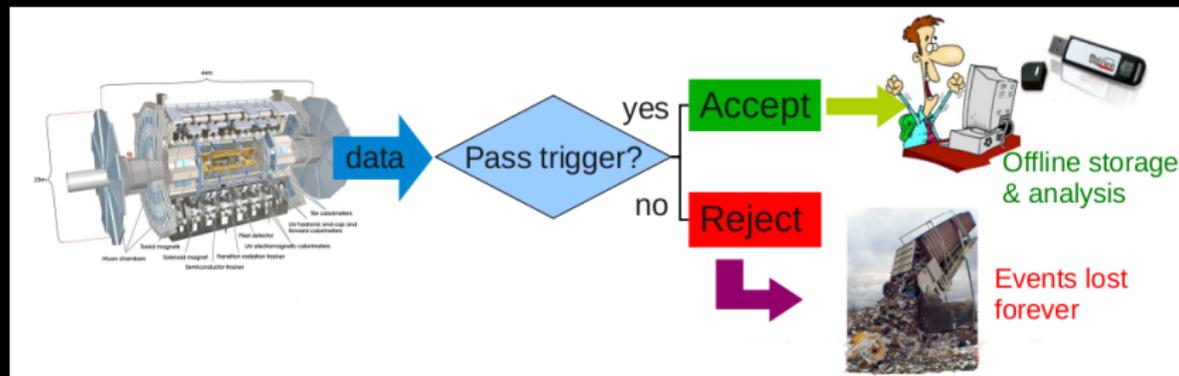


by Stan Bentvelsen



Event Selection

- ▶ We are not able to store and analyze all the data produced by the LHC
- ▶ Most of millions of events per second are totally uninteresting
- ▶ We need to select events online **Trigger system**
- ▶ The trigger selects interesting events for our analysis

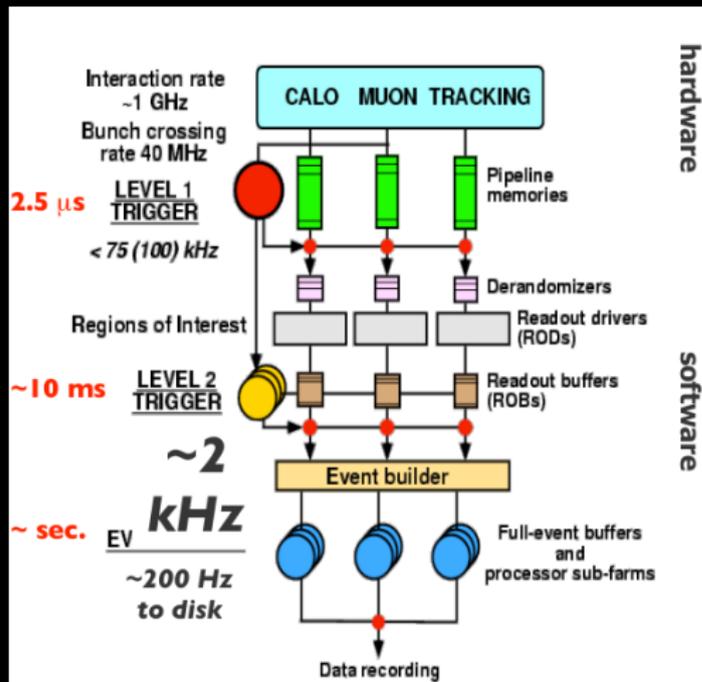


by I. Aracena

- ▶ Trigger decision $\approx 2\text{-}3 \mu\text{s}$ \rightarrow larger than interaction rate of 25 ns
- ▶ Therefore the trigger is split in several levels: level-1, level-2 and EventFilter in ATLAS



Three Level Trigger Architecture



level-1 uses data from calorimeters (e/γ , jets, τ , MeT) and muon detectors, finds η , ϕ and E_T of interesting physics objects: RoI

HLT

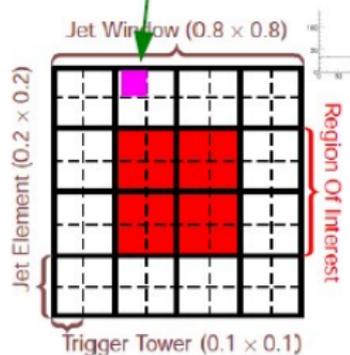
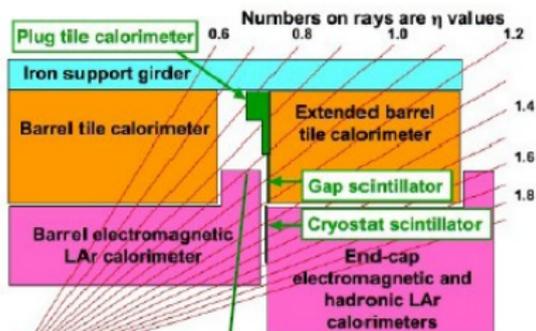
level-2 Mainly partial event reconstruction in RoI

level-2 with full granularity combines information from all detectors and performs fast rejection

EventFilter refines the selection. Assemble the full event in the Event builder



ATLAS Jet Level-1 Trigger

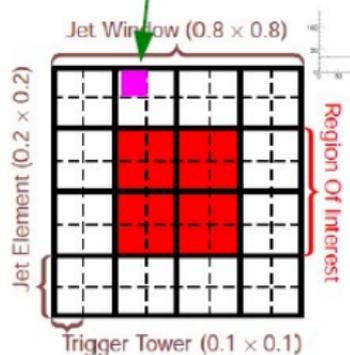
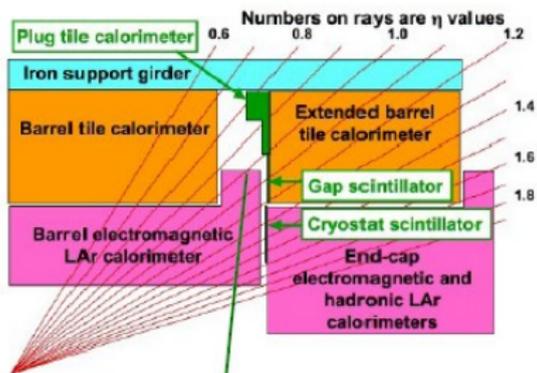


Window of 8x8 jet towers for L1 jet trigger

- ▶ Level-1 jet RoI is identified using coarse detector elements
- ▶ Calorimeter is segmented into fixed grid of trigger towers
- ▶ Trigger Tower is analog sum of cell energies in $\Delta\eta \times \Delta\phi = 0.2 \times 0.2$
- ▶ Jet finder uses a sliding window algorithm and
- ▶ selected according to jet E_T threshold



ATLAS Jet Level-1 Trigger



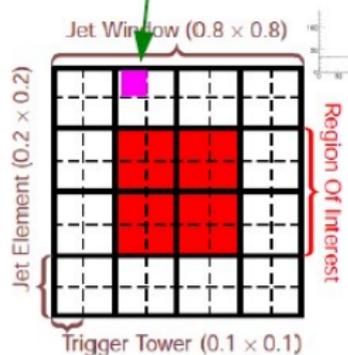
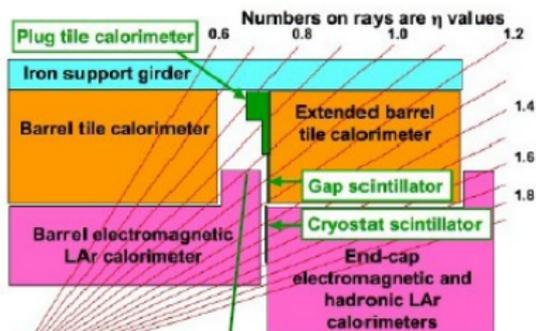
Window of 8x8 jet towers for L1 jet trigger

- ▶ Jet finder uses a sliding window algorithm and
- ▶ selected according to jet E_T threshold:
 - ▶ if $\eta < 3.2$:
8 thresholds for central jets:
Inclusive jet triggers

L1_J5
L1_J10
L1_J15
L1_J30
L1_J55
L1_J75
L1_J95
L1_J115



ATLAS Jet Level-1 Trigger



Window of 8x8 jet towers for L1 jet trigger

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- ▶ selected according to jet E_T threshold:
 - ▶ if $\eta < 3.2$:
8 thresholds for central jets:
Inclusive jets triggers

How does it work?. **Example:** suppose a 3-jets event passing **only** L1_J5. These jets have energies between 5GeV and 10GeV because the L1 requirement is $E_T > \text{threshold}$, in this case 5GeV. If one of these jets has energy > 10 GeV, the event passes also the L1_J10 trigger



ATLAS Global Jet Triggers: JetEtSum (H_T or L1_JE)

- ▶ if $\eta < 3.2$ 8 thresholds for central jets: *Inclusive jets triggers*



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 - ▶ To get an “estimate” of the total energy of the jets in the event



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For example a 3-jets event, one passing threshold 0, one passing thresholds 0-2 and one passing thresholds 0-3, then we have:

Multiplicity [0] = 3

Multiplicity [1] = 2

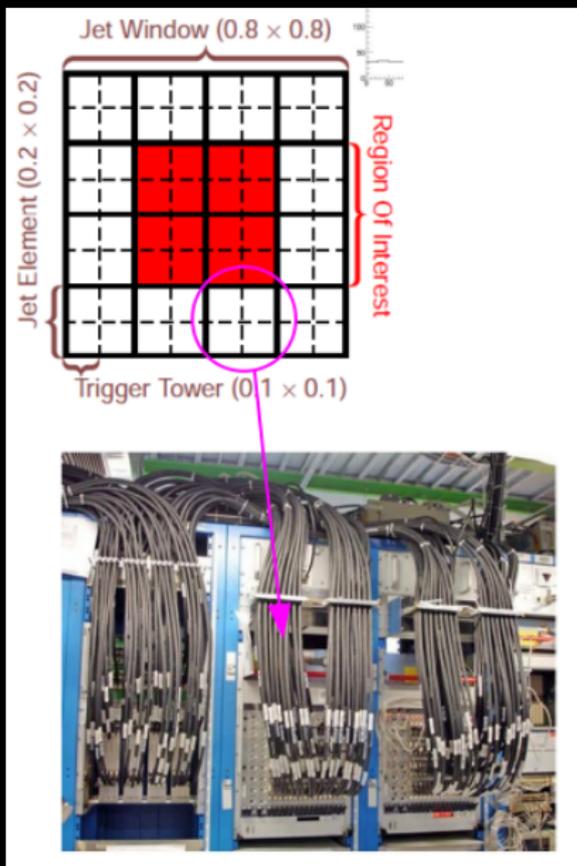
Multiplicity [2] = 2

Multiplicity [3] = 1 and

$\text{jetSumEt} = 3 \times \text{Weight}[0] + 2 \times \text{Weight}[1] + 2 \times \text{Weight}[2] + 1 \times \text{Weight}[3]$



The ATLAS global sumET Trigger (L1_TE)



- ▶ **Level-1** computes missingET and total transverse energy
 - ▶ computes missingET components (E_x , E_y) and scalar sum of all Trigger Towers (sumET) above a noise cut
- ▶ **HLT** simply forwards Level-1 result
 - ▶ Full calorimeter data $\approx 1\text{MB}$
 - ▶ Level-2 network (3GB/s) cannot access to full calorimeter data
 - ▶ sustainable event rate is $3\text{kHz} \ll 75\text{kHz}$, Level-1 output rate
 - ▶ Possible improvements being investigated



Trigger Efficiency turn-on

Definitions

- ▶ **Data-Streams:** The data can be streamed to different output files based on the event trigger decision. The stream names indicate the type of trigger signatures they will contain. For example, events passing single (inclusive) or jetEtSum triggers signatures are written to the Calorimeter stream: “L1Calo” or “jetTauEtmiss”



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- ▶ $H_T = \Sigma p_T$ over all jets per event
- ▶ Trigger Efficiency ε : Probability that one event in the data sample from the stream S passes the L1_XXXX as a function of the H_T
 $\varepsilon(H_T, S) = P(\text{L1_XXXX} | S, H_T)$



Trigger Efficiency turn-on

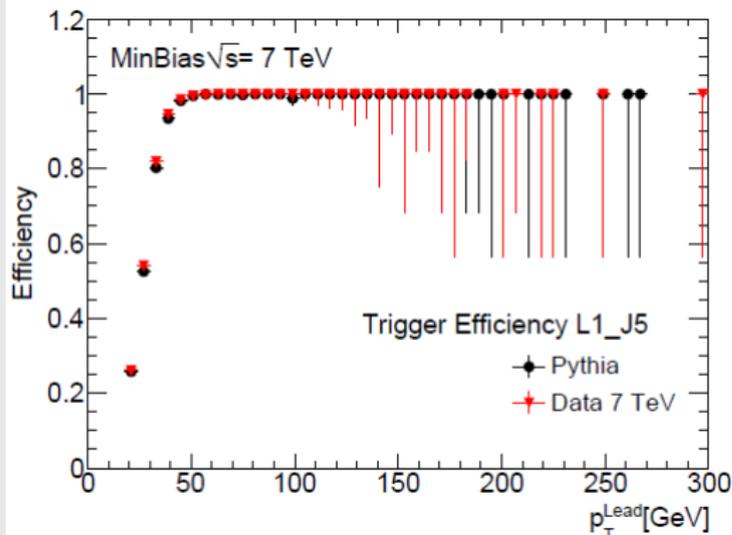
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- ▶ Plateau: Localized region where ε is 100% or $P=1$



Single Jet turn on \Rightarrow Threshold 5GeV

S: MinBias: track based trigger



Turn-on curve for the L1_J5 trigger as a function of p_T of the leading jet in the event. Data (red triangles) and Monte Carlo (black circles) comparison

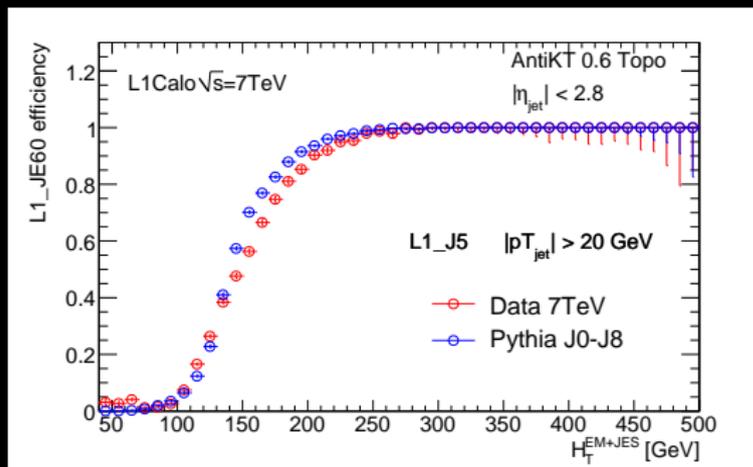
Trigger Efficiency

- ▶ The efficiency for jets in the pseudorapidity region $|\eta| < 2.8$ that satisfy the Level-1 single jet trigger with a 5GeV threshold
- ▶ 100% close to 60GeV

$$\varepsilon(P_T^{\text{Lead}}, \text{MinBias}) = P(\text{L1_J5} | \text{MinBias}, P_T^{\text{Lead}})$$



jetSumEt (JE) turn on \Rightarrow Threshold 60GeV



Turn-on curve for the L1_JE60 trigger as a function of H_T . Data (red circles) and Monte Carlo (blue circles) comparison

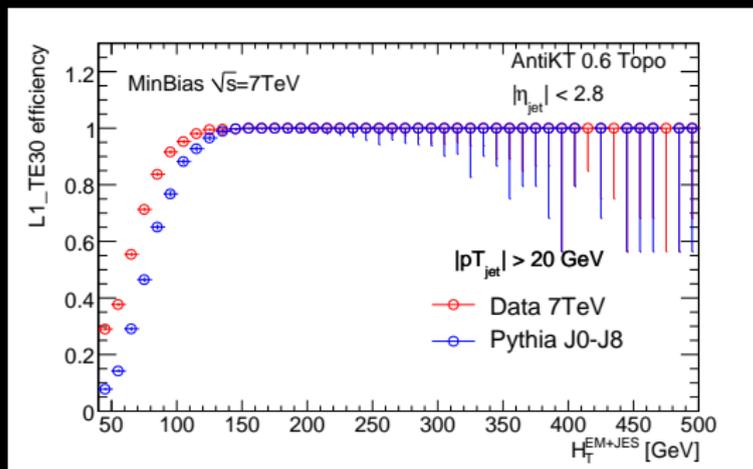
- ▶ Anti-kt jets with $R=0.6$

$$\varepsilon(H_T, L1Calo) = P(L1_JE60|L1Calo, H_T)$$

- ▶ The efficiency for multi-jet events in the pseudorapidity region $|\eta| < 2.8$ that satisfy the Level-1 jetSumEt trigger with a 60GeV threshold
- ▶ 100% close to 250GeV
- ▶ Satisfy data quality criteria
- ▶ Jet cleaning cuts: noisy cells, dead detector regions, acceptance effects



sumEt (TE) turn on \Rightarrow Threshold 30GeV



Turn-on curve for the L1_TE30 trigger as a function of H_T . Data (red circles) and Monte Carlo (blue circles) comparison

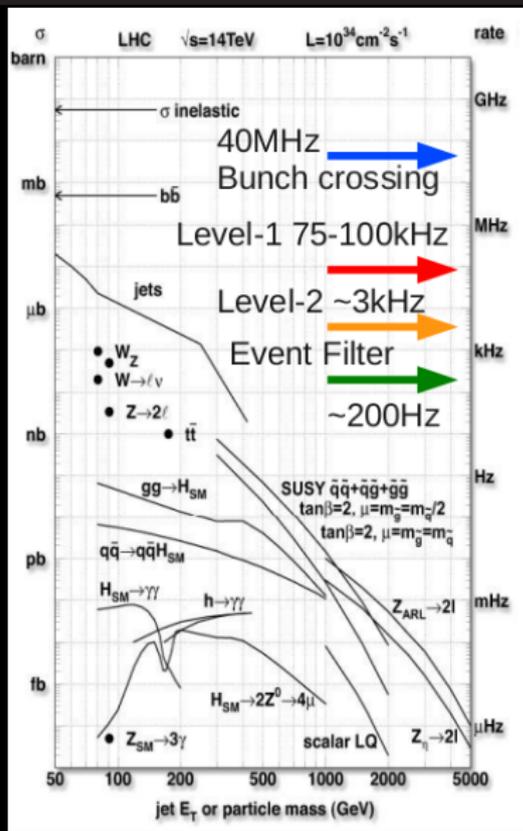
- ▶ Anti-kt jets with $R=0.6$

$$\varepsilon(H_T, \text{MinBias}) = P(\text{L1_TE30} | \text{MinBias}, H_T)$$

- ▶ The efficiency for multi-jet events in the pseudorapidity region $|\eta| < 2.8$ that satisfy the Level-1 sumEt trigger with a 30GeV threshold
- ▶ 100% close to 130GeV
- ▶ Satisfy data quality criteria
- ▶ Jet cleaning cuts



Remember the trigger outputs:



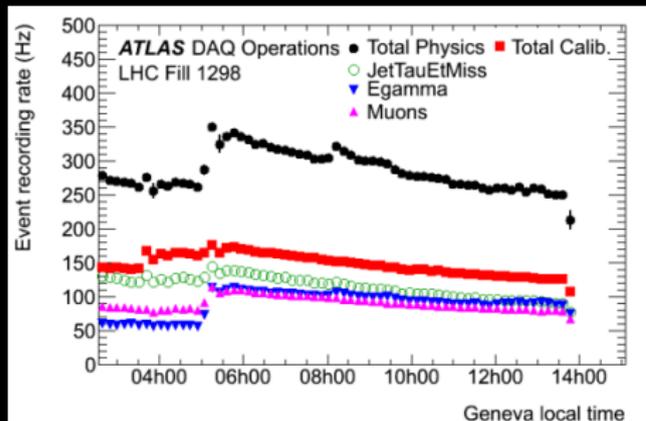
- ▶ level-1 Output rate 75-100kHz, latency $2.5\mu\text{s}$
- ▶ level-2 output $\sim 3\text{kHz}$, an average processing time of $\langle 40\text{ms} \rangle$ per event is available to achieve this rejection
- ▶ EventFilter output $\sim 200\text{Hz}$, $\langle 4\text{s} \rangle$ per event
- ▶ How can we record all our information in 200Hz for the analysis? (think about the LHC luminosity)

Adapted by I. Aracena



Trigger Rates. EventFilter output $\sim 200\text{Hz}$, $< 4\text{s} >$ per event

- ▶ The event rates exceeded the event Filter output in $\sim 150\text{Hz}$:



- ▶ We should distribute them (200Hz) between different trigger objects or physical interest
⇒

Signature

Output rate (Hz)

Jets	25
MissingET	8
MissingET + jets	8
e/γ	55
μ	50
τ	10
MissingET + τ	8
b-jets	10
MinBias	11
Clibration	11
TOTAL	~ 200

- ▶ How can we record all our jet information in 25Hz for the analysis?

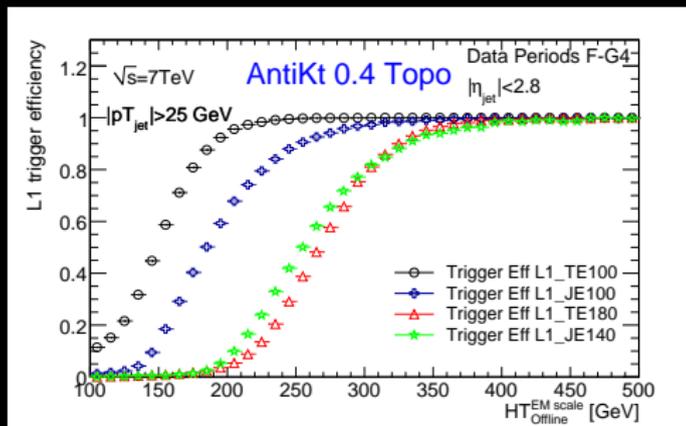


Trigger Prescale PS

Prescales \equiv Keep event only every n th event

Examples

- ▶ PS=10 \Rightarrow Keep 1 event every 10 events
- ▶ PS=1 \Rightarrow no-prescale
- ▶ Keep highest threshold unprescaled



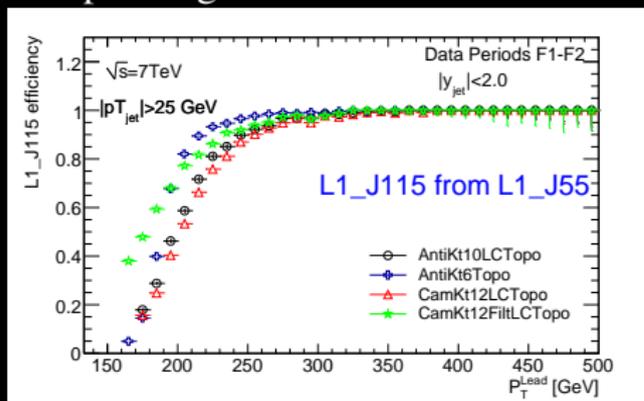
Trigger efficiency for the highest unprescaled global triggers using the latest data taken 2010

$$\varepsilon(H_T, \text{jetTauEtmiss}) = P(\text{L1_XEXX} | \text{jetTauEtmiss}, H_T)$$



Bootstrapping a single jet trigger from a lower threshold

Bootstrapping: Consider a lower threshold trigger. Determine where the plateau is and for all jets in the plateau region, see if they also pass higher threshold



Turn-on curve for the L1_J115 trigger bootstrapped from L1_J55 as a function of p_T^{Lead}

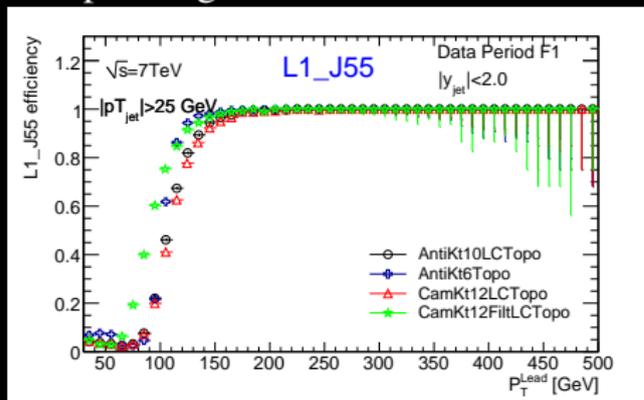
$$\text{Rapidity } y = 0.5 \times \ln\left[\frac{E + p_z}{E - p_z}\right]$$

- ▶ The efficiency for single jet events in the rapidity region $|y| < 2.0$ that satisfy the Level-1 single trigger with a 115GeV threshold bootstrapped from L1_J55 trigger
- ▶ Different jet definitions
- ▶ Satisfy data quality criteria
- ▶ Jet cleaning cuts



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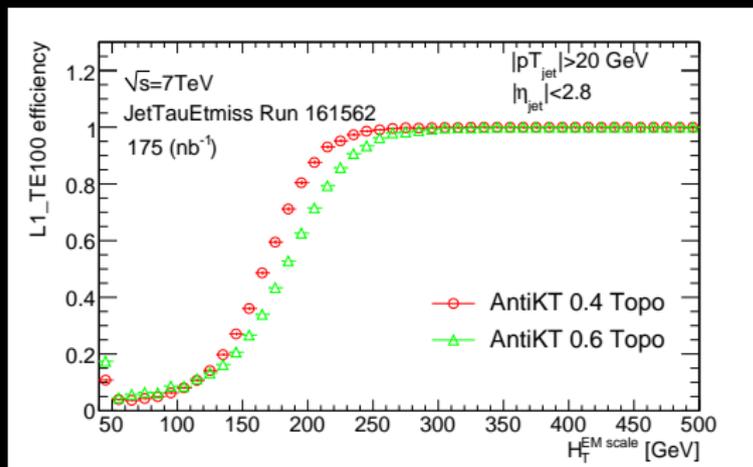
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Global Trigger from different jet algorithm



Turn-on curve for the L1_TE100 trigger as a function of H_T . $R=0.4$ (red circles) and $R=0.6$ (green triangles) comparison

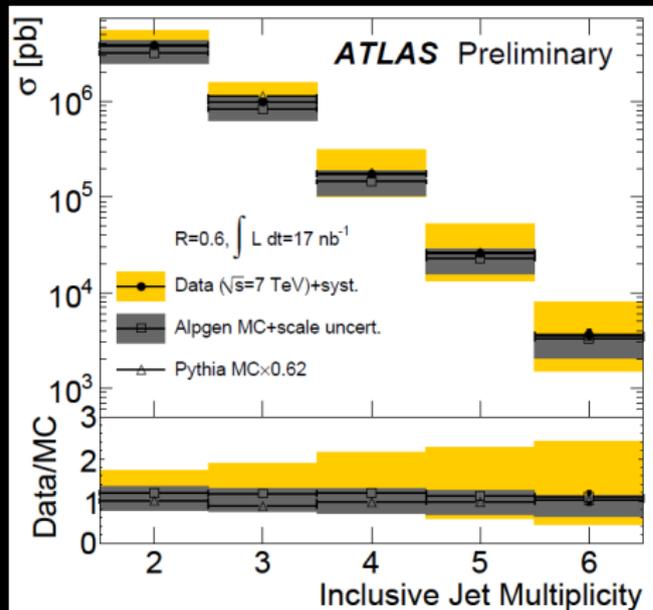
- ▶ Anti-kt jets with $R=0.6$
- ▶ Anti-kt jets with $R=0.4$

$$\varepsilon(H_T, \text{jetTauEtmiss}) = P(\text{L1_TE100} | \text{jetTauEtmiss}, H_T)$$

- ▶ The efficiency for multi-jet events in the pseudorapidity region $|\eta| < 2.8$ that satisfy the Level-1 sumEt trigger with a 100GeV threshold
- ▶ shift \rightarrow size difference R
- ▶ H_T is algorithm-dependent



Trigger in multijet Analysis



$$\sigma = \frac{N_{\text{sig}}}{\mathcal{L} \times \epsilon} = \frac{N_{\text{obs}} - N_{\text{bkg}}}{\mathcal{L} \times \epsilon}$$

Inclusive jet multiplicity spectrum corrected to particle level as measured in data (solid circles) and as predicted by Alpgen (empty squares) and Pythia (empty circles)



Remarks and Conclusions

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- ▶ H_T depends on the jet algorithm

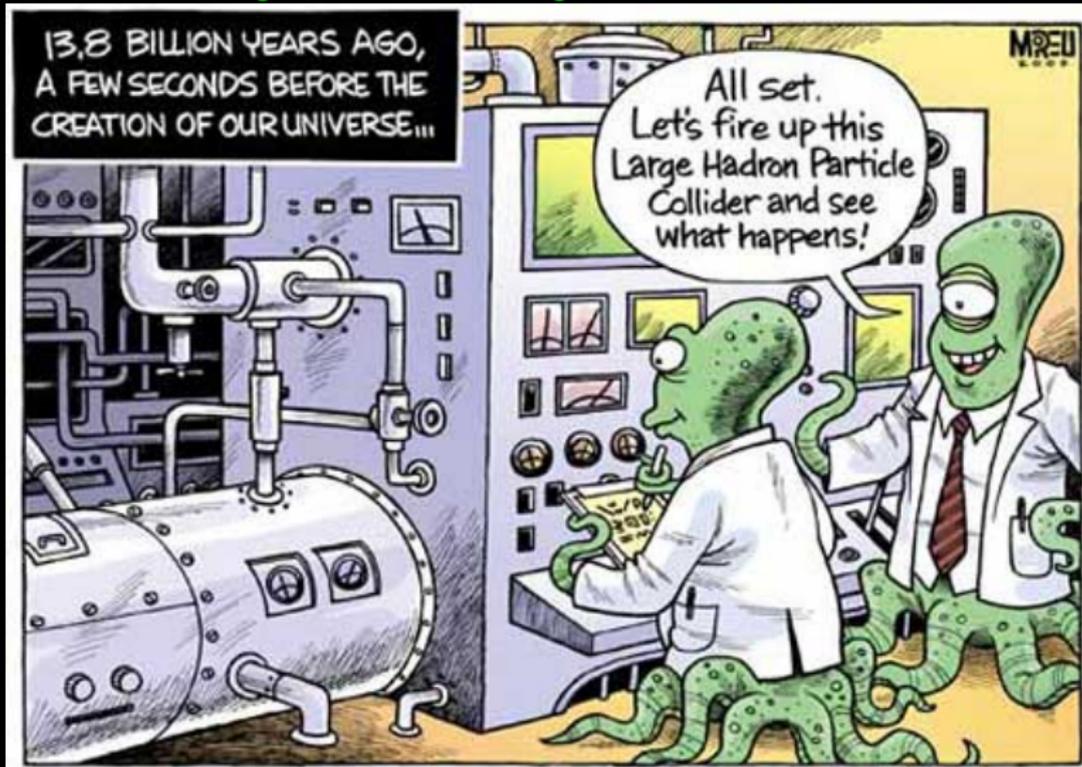


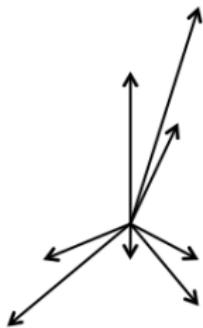
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- ▶ We have seen how the global triggers behave in the ATLAS detector, specifically in the calorimeter region
- ▶ We have shown very good agreement between data and simulation for trigger efficiency calculations
- ▶ H_T depends on the jet algorithm
- ▶ Experimentally, jets are expected in the final state of most physics channels such as:
 - ▶ Early QCD: di-jet σ
 - ▶ Early SM: $W/Z + jets$
 - ▶ Top analysis
 - ▶ BSM
 - ▶ Study dijet events with rapidity gap



Thank you for your attention!



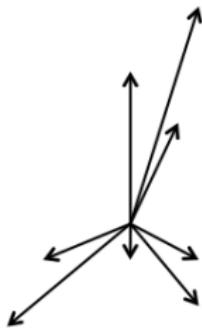


- ▶ Cluster the jet constituents in a simple cone
- ▶ As a starting seed, consider each energy deposits in the calorimeter $> 2\text{GeV}$

- ▶ The 4-vector energy-momentum depositions within a cone of radius $\Delta R = \sqrt{(\eta_i - \eta_{seed})^2 - (\phi_i - \phi_{seed})^2} = 0.7$ are summed, forming a **proto-jet**
- ▶ Stable cone \rightarrow direction of energy flow
 - ▶ cone: fixed radius R in the (y, ϕ) plane
 - ▶ stable: their axis coincides with sum of momentum of particles in it



Jet Definitions: Cone algorithm

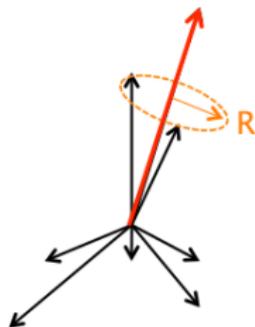


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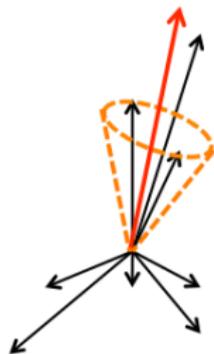
Jet Definitions: Cone algorithm



- ▶ Start with proto-jets above some seed highest energy
- ▶ draw a cone of radius R around it



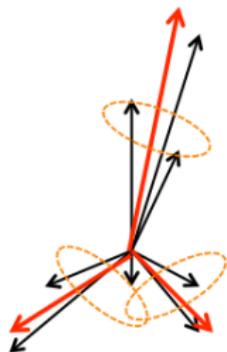
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- ▶ **Sum of particles in the cone, calculates the E_T weighted, gives new direction and draw another cone of radius R around this new point. Repeats until centroid is stable**



Jet Definitions: Cone algorithm

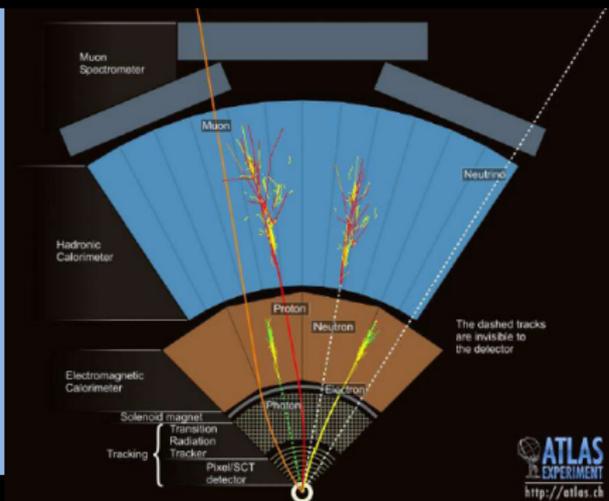
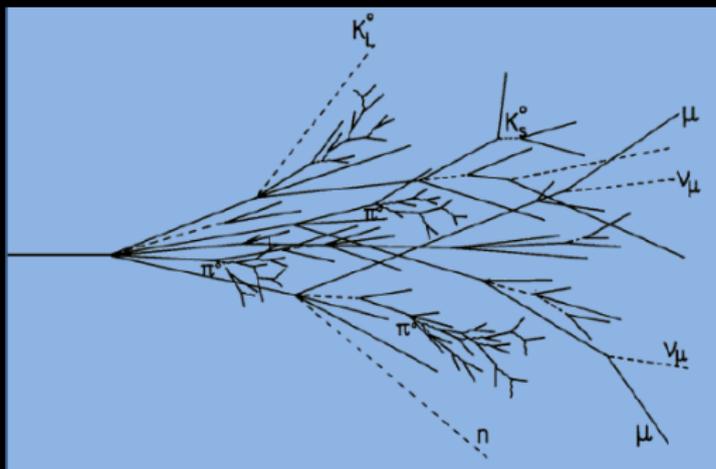


Figures and idea taken from Kerstin Perez

- ▶ Cluster the jet constituents in a simple cone
 - ▶ Consider only energy deposits in the calorimeter $> 2\text{GeV}$
 - ▶ **Infrared and collinear unsafe!**
- ▶ Start with proto-jets above some seed highest energy
 - ▶ draw a cone of radius R around it
 - ▶ Sum of particles in the cone, calculates the E_T weighted, gives new direction and draw another cone of radius R around this new point. Repeats until centroid is stable
 - ▶ **repeat until all proto-jets are in a jet**

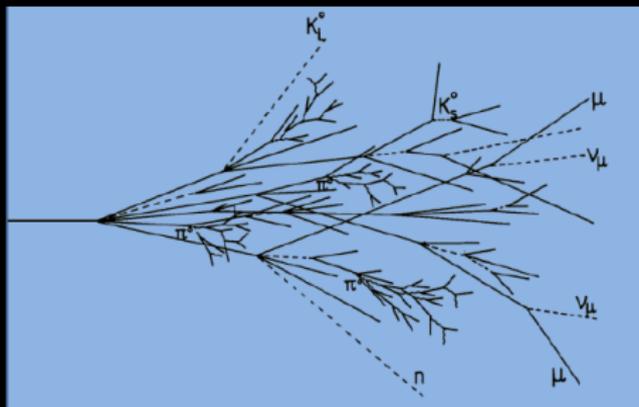


Jet Calibration



- ▶ Charged hadrons lose energy continuously due to ionization/excitation of atoms, nuclear excitation, nuclear break up, spallation (invisible energy)
- ▶ ν , μ (Escaped energy)
- ▶ The reconstructed jet energy deposits in the hadronic calorimeter is lower than the true energy of interacting particles within the jet. Calibration: Compensate the invisible and escaped energies





- ▶ The calibrated jet energy can then be written as

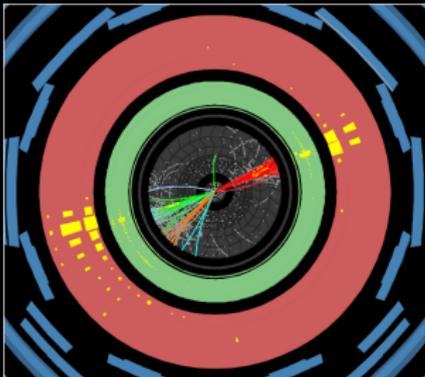
$E_{jet}^{rec} = \sum_i w_i E_i$ where E_i is the uncalibrated energy in the sampling i and the sum runs over all samplings considered

- ▶ w_i weights are calculated using MC samples
- ▶ Output : calibrated jets : JES do not depend (in principle) on the calorimeter characteristics
- ▶ ATLAS Jet calibration: EM+JES pT and η dependent scale

$$\chi^2 = \sum_{m=1}^{N_{jets}} \left[\frac{(E_m^{truth} - E_m^{rec})}{\sigma_m} \right]^2$$

Where the sum runs over all jets in the events



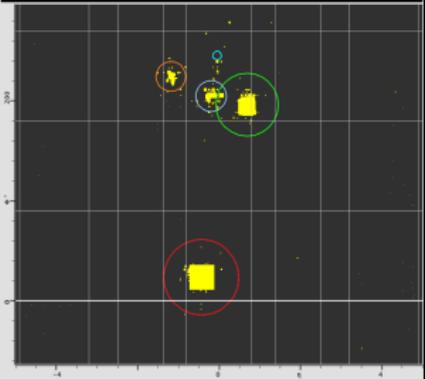
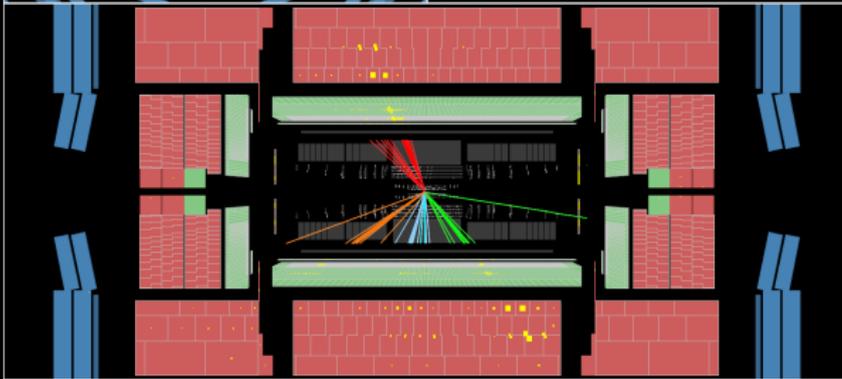
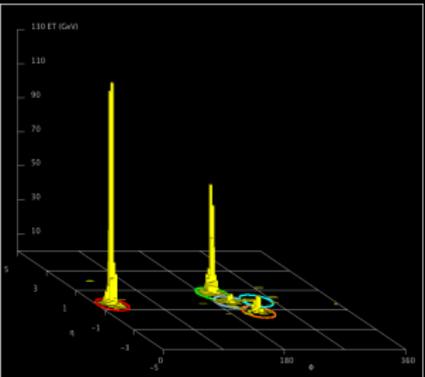


 **ATLAS**
EXPERIMENT

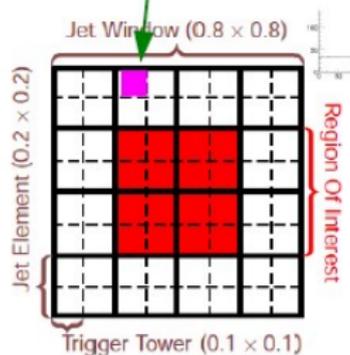
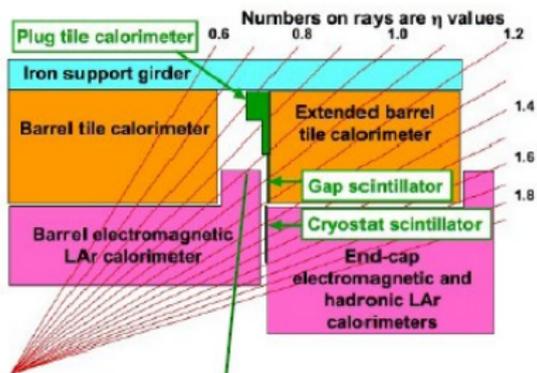
Run Number: 158548, Event Number: 2486978

Date: 2010-07-04 06:46:45 CEST

**Multijet Event in
7 TeV Collisions**



ATLAS Jet Level-1 Trigger



Window of 8x8 jet towers for L1 jet trigger

- ▶ Jet finder uses a sliding window algorithm and
- ▶ selected according to jet E_T threshold:
 - ▶ if $3.2 < |\eta| < 4.9$:
4 thresholds for forward jets:
Forward jets triggers

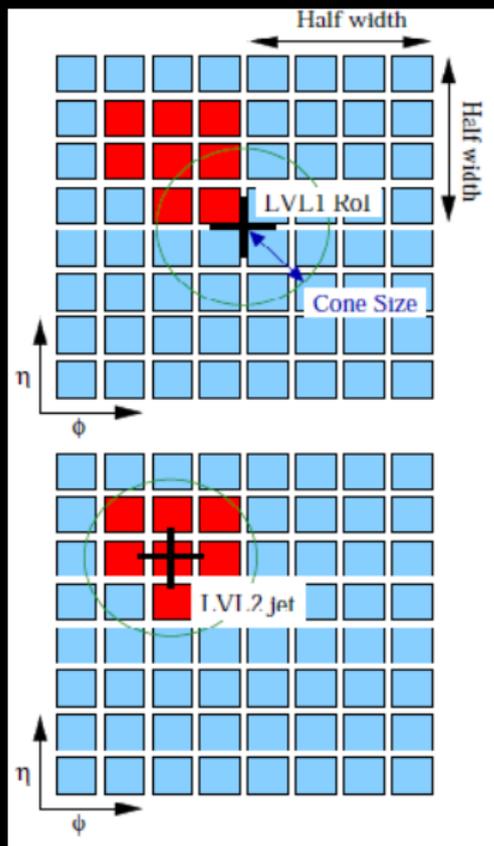
L1_FJ10

L1_FJ30

L1_FJ55

L1_FJ95





- ▶ calorimeter granularity
 $\approx \Delta\eta \times \Delta\phi = 0.025 \times 0.025$
- ▶ **Level-2**
cone algorithm with $R=0.4$
 - ▶ selects data in
 $\Delta\eta \times \Delta\phi = 0.1 \times 0.1$ window
around L1 jet Region of
interest RoI
 - ▶ draws a barycenter inside
window and updates position
and energy of the jet
 - ▶ L2 jet at Level-2 : sum of all
L2 jet in an event with jet ET
>15GeV
- ▶ **EventFilter** uses anti- k_T finder
 - ▶ Not activated in 2010 for
selection



ATLAS Global Jet Triggers: JetEtSum (H_T or L1_JE)

- ▶ if $\eta < 3.2$ 8 thresholds for central jets: *Inclusive jets triggers*



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 - ▶ To get an “estimate” of the total energy of the jets in the event



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Example

1 Again, one 3-jet event passing **only** L1_J5 \Rightarrow jets have energies between 5GeV and 10GeV

weight \rightarrow 7.5GeV \Rightarrow threshold between L1_J5 and L1_J10

\Rightarrow jetEtsum = $3 \times 7.5 = 22.5$

as the weight should be an integer value, weight = 8 and jetEtsum = 24GeV

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Example

one 2-jet event both passing L1_J5 and one jet passing also L1_J10
 $2 \times J5, 1 \times J10 \Rightarrow (1 \times 8) + 1 \times (8 + w) = 12.5 \text{ GeV}$
 $w = 5$ and $\text{jetEtsum} = 22 \text{ GeV}$



The unbiased muon stream

Why using an unbiased trigger?

- ▶ If we take events with JEXX/TEXX trigger(s) and compare them only against data taken using calorimeter triggers, we do not have an absolute representation of the efficiency
- ▶ To obtain the absolute efficiency we would have to compare JEXX/TEXX events against all events produced by the LHC
- ▶ As far as we know we can not record all events, instead we select events based on triggers like Jet and MeT triggers
- ▶ In order to get an idea of the absolute efficiency of JEXX/TEXX triggers we do compare events taken from JEXX/TEXX to events that have a minimum correlation (bias) in JEXX/TEXX, for instance those from **Muon Stream**.



Muon-JetTauEtMiss Comparison H_T Triggers JE-TE

